

Goal:

To benchmark Titus EMAG model with transient magnetic field vector potentials imported from Hatcher's 2D Opera Analysis



Large bending of PPs are directly caused by the eddy current during plasma disruption

Opera 3D Model – Transient ELEKTRA Solver



Fast mid-plane centered disruption 2 MA/ms Back ground field OH, TF and PF coils (#79) Square shape plasma (same cross section area as circular shape)

Eddy Current Centered Disruption – 60 Degree Model



With gap between PPs – at end of disruption

Eddy Current Centered Disruption – 60 Degree Model



Eddy Current Centered Disruption – 60 Degree Model



Eddy current at end of disruption

Disruption Analysis of PPs

- 3D Opera model with square shape plasma (same J as circular shape)
- Background field from OH, TF, PF coils
- Centered mid-plane disruption
 - Fast disruption (2 MA/ms)
 - Eddy current in PPs, VV, CS-Casing
- Results



Comparison of total induced current (%)

Toroidal Current (%)	Titus	Zhai
VV+CS Casing	72%	75%
PPPs+SPPs	24%	25%



Eddy Current on VV and Casing

Eddy Current Distribution on PP during Mid-Plane Disruption



Eddy Current Distribution on PP during Mid-Plane Disruption



- Discussion
 - Max background field used in Pete's model
 - Vector potential from 2D continuous model (no gaps between PP)
 - Induced current from 2D model should in same direction?

Comparison of peak current density

Current Density (A/m ²)	Titus	Willard	Zhai
VV (x10 ⁶)	26.7~30	29.53	~27.5





Maxwell 3D vs Opera 2D VV WallEddy Current and B Field Results From Tom Willards Wed meeting Presentation Aug 2010 Figure 9.2.2-7 Maxwell and OPERA Mid-Plane Disruption Current Densities

- Opera Model R. Hatcher
 - Max background field from PF and OH coils; no TF coils
 - Mesh in radial direction to capture skin effect (skin depth?)
 - Electrical conductivity
 - Passive plates
 - VV and CS casing from measurement (SS?)
 - Time varying vector potential solution (r*A? electrical scalar potential?)
- Opera Vector Potential input to 3D ANSYS model P. Titus
 - ELEKTRA combination of total and reduced vector potentials

- Total vector potential
$$\nabla \times \frac{1}{\mu} \nabla \times \mathbf{A} = -\sigma(\frac{\partial \mathbf{A}}{\partial t} + \nabla V)$$

- Reduced vector potential
$$\nabla \times \frac{1}{\mu} \nabla \times \mathbf{A}_{\mathbf{R}} = 0$$

- Electrical scalar potential
$$\nabla \bullet \sigma (\nabla V + \frac{\partial \mathbf{A}}{\partial t}) = 0$$

- Recommendation
 - Design electrical conducting path to reduce eddy current gradient in PPs to reduced eddy induced bending effect?

