



NSTX

Center Stack Casing Bellows

NSTX-CALC-133-10

Rev 0

January 2011

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Irv Zatz, PPPL Mechanical Engineering

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PPPL Calculation Form

Calculation # NSTXU-133-10-00 Revision #00

WP # 1672
(ENG-032)

Purpose of Calculation: (Define why the calculation is being performed.)

There are two bellows used on the NSTX center stack, upper and lower. These form a vacuum connection between the center stack casing and the insulated ceramic break and the rest of the vacuum vessel structure. The bellows must maintain the normal vacuum conditions for the necessary operation of the NSTX device under various load conditions, which include the bake-out and other thermal scenarios.

This calculation is intended to justify and recommend convolution geometry and acceptable thickness of the bellows as an initial sizing exercise, and then provide the design specifications for the purchase of the bellows. Ultimately, the bellows manufacturer shall provide the qualification of the bellows. To ensure an adequate initial design, this calculation provides qualification of the acceptable stress state and performance for the following load conditions:

- Halo Current Loads (upper bellows only). Reference calculation #NSTX CALC 133-04-00.
- The upper bellows must allow thermal motion due to the bake-out and the normal operation where heat from the plasma is transferred to the CS casing through the insulating tiles. Reference calculation # NSTX CALC 11-01-00.
- The upper bellows must support the seismic loads, Reference calculation #NSTX CALC 10-01-02.
- The upper and lower bellows transmit some portion of the torsional moment from the upper vessel structure to the center stack casing. This moment comes through the umbrella structure, Reference calculation # NSTX CALC 10-01-02.
- Pressure due to vacuum condition which is always present during any operations of the machine.

References (List any source of design information including computer program titles and revision levels.)

These calculations were performed using:

- EJMA (Expansion Joint Manufacturers Association) Basic equations presented in section 4.13 of the manual.
- NASTRAN Version MSC FEA x64 2010.1.2 finite element code.

Assumptions (Identify all assumptions made as part of this calculation.)

Three basic thicknesses (.02, .025, and .03 inch) were examined to better understand the general behavior of the bellows under different load conditions.

Since EJMA provides basic equations for the design of the Axial and Pressure conditions based on tests and experience, these results were used to justify the finite element simulation obtained through NASTRAN. Complete table of compared results are included in the power point presentation. NASTRAN simulation was then used to include load conditions which EJMA does not provide. Therefore, once basic calculations were justified, NASTRAN model could include all load conditions which add to calculate the maximum stress conditions on the bellows.

It was assumed that the seismic loads do not combine with the Halo Loads (these are of the very short duration compared to seismic). Therefore, for the maximum possible stresses during the seismic event the following loads are considered: pressure, CS thermal, torsional moment and the seismic loads from the center stack with .5% damping.

Calculation (Calculation is either documented here or attached)

All the calculations are presented in the following attachments:

- Final_Bellows.ppt
- Final_EJMA.ppt
- Final EJMA Calculator
- Seismic_Stresses.ppt
- LVRBellDisrupt.ppt
- Bellows_Mode.ppt
- Spare EJMA Order Sheet

Conclusion (Specify whether or not the purpose of the calculation was accomplished.)

Comparing the maximum stress for both EJMA and NASTRAN results, bellows of thickness=.03 inch, demonstrates the lowest value. Von Mises combined stress is = 61,600 psi. Considering Inconel plate where $S_y = 95,000$.psi, this calculated stress value is well within the $2/3 S_y$ stress condition as specified for the NSTXU project.

For Seismic condition the calculated von Mises stress is = 46,600.psi and this event is extremely unlikely to develop. The combined stresses are well within the acceptable range.

“Global Model” results for seismic analyses show similar acceptable maximum stresses up to 20,000.psi based on standard seismic scenario for the TFTR existing facility.

Lower bellows magnetic disruption analyses, show the maximum stresses for iteration at step #8. These stresses are about 500.psi and considered insignificant.

EJMA Specification Sheet is included bellows and it should be a part of the final drawing.

The specific (selected) bellows design requirements should be as follows:

- $t = .030$ inch

- $w = 1.095$ inches, convolution height
- $q = 1.0$ inches, convolution pitch
- $D_i = 38.0$ inches, Inside diameter
- $D_o = 40.25$ inches (at the outside surface of the convolution), Outside diameter
- General axial length should be determined by the final design. For now it is 7.06 inches.

Cognizant Engineer's printed name, signature, and date

I have reviewed this calculation and, to my professional satisfaction, it is properly performed and correct.

Checker's printed name, signature, and date

Customer: Princeton Plasma Physics Laboratory		Date:1/25/2011	Page:
Project: NSTXU		Prepared By: P. Rogoff	
Item or Tag Number:			
Quantity:		2	
Size:			
Style or Type (single, universal, hinged, gimbal, etc.)		single	
End Connections		Thickness/Flange Rating	0.030 inch
		Material	
*Pressure		Design	14.5 psi
		Operating	14.5 psi
		Test	14.5 psi
*Temperature		Design	Room
		Operating	Room
		Installation	Room
Media		Media	
		Flow Velocity	
		Flow Direction	
Movements and Life Cycle	Installation	Axial Extension	
		Axial Compression	
		Lateral	
		Angular	
		Number of Cycles	
	Design	Axial Extension	
		Axial Compression	0.315 inch
		Lateral	0.020 inch
		Angular	0.00315 inch
		Number of Cycles	High
	Operation	Axial Extension	
		Axial Compression	0.315 inch
		Lateral	0.020 inch
		Angular	0.00315 inch
		Number of Cycles	High
Materials		Bellows	Inconel (high Yield)
		Liner	
		Cover	
Dimensions		Overall Length	7.06 inch
		Maximum O.D.	40.25 inch
		Minimum I.D.	38.0 inch
Spring Rates		Maximum Axial Spring Rate	3,835.2 lbs/inch
		Maximum Lateral Spring Rate	204,200.lbs/inch
		Maximum Angular Spring Rate	147,400. In-lbs, for .00315 in displacement
Quality Assurance Required Code		Bellows Long. Seam Weld	
		Bellows Attachments Weld	
		Piping	
Applicable Codes and Standards B31.1, B31.3, Section 8 Division 1			

Final_Bellows.ppt

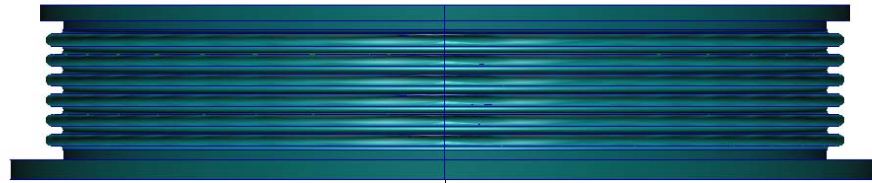
Executive Summary

The purpose for these analyses was to justify and select the appropriate NSTX Center Stack Update project VV Bellows. The bellows should provide and absorb the existing relative motions between the redesigned Center Stack and the Vacuum Vessel within the acceptable stress limits for the selected material for a combination of load conditions.

The analyses were completed using two methods:

- * EJMA standard equations, and,
- * Nastran finite element code.

COMPLETE ASSEMBLY



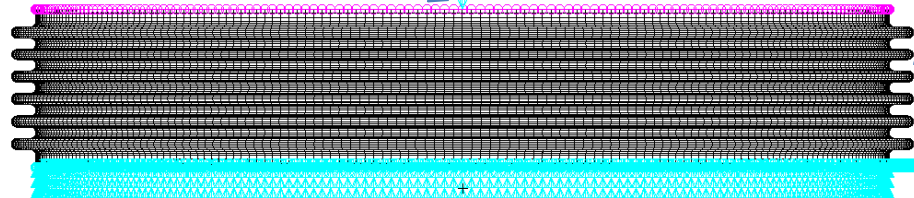
Modulus of Elasticity = 29,000,000.
stainless steel (FEA and EJMA)
t = variable (.02, .025, .03) in.

Di = 38.0 inches
Do = 40.25 inches

w = 1.095 in. convolution
height
q = 1.0 in. convolution
pitch

COMPLETE FEM MODEL

Node #49436 – central, RBE2 independent
Deformations and loads applied through it.



Fixed : x, y, z, Rx ,Ry, Rz

M O D E L S U M M A R Y			
NUMBER OF GRID	POINTS	=	45301
NUMBER OF CQUAD4	ELEMENTS	=	45000
NUMBER OF RBE2	ELEMENTS	=	2

Note: All stresses reported are for cquad4 surface "Z2" . This is the bellows inside surface.

Design justification for the NSTX Update Bellows

FEM model simulation: Quad4 NASTRAN element with various convolution thicknesses.
For present analyses, .020, .025 and .030 in.

Load conditions:

- 1) 8 mm - Axial compression due to the CS expansion.
- 2) Static Pressure = 14.5 psi.
- 3) TORSIONAL deformation = .00315 in. (Applied as pure moment values. which were calculated from P. Titus inputs).
- 4) Halo Loads Reactions at the bellows (variable as per bellows thickness as calculated from A. Brooks inputs).

Note: Conditions #3 and #4 change, based on the selected material thickness.

EJMA equations and related constants were used to test and justify the validity of the FEM simulation using axial deformation and pressure loads:

Eq. 4-30, 4-31, 4-32, 4-33 and 4-37.

EJMA constants: C_p , C_f and C_d .

Figures 4.16, 4.17, 4.18.

Figure 4-20 for fatigue life estimates.

Summary of EJMA calculations

EJMA Equations						
Thickness inch	S3 psi	S4 psi	S5 psi	S6 psi	St psi	Spring Rate lbs/in
0.02	269.0	15,211.0	137.0	25,594.2	36,567.0	1,136.5
0.025	322.2	9,737.0	213.4	31,991.0	39,245.0	2,219.6
0.03	269	6,762.4	307.2	38,386.3	43,615.2	3,835.2
All equations are listed in the EJMA spread sheets						
"St" Is Total stress used for Fatigue Life (Nc)						

This data is only valid for Axial deformation and pressure loads

EXPLANATIONS

Following can be concluded by examining the above table.

- * “EJMA” and “MSC/NASTRAN FEA 2010” results compare favorably.
- * For constant axial deformation of the convoluted bellows (in our case .315 inch), maximum stresses:
 - decrease with decreasing thickness (t),
 - decrease with increasing convolution height (w).
(function of the allowable space)
- * For constant pressure (in our case atmospheric , always present) stresses:
 - increase with decreasing thickness (t)
 - increase slightly with increase of (w).
- * For Halo loads, it is necessary to calculate the bellows Spring Rate in the pure shear mode. Since the spring rate changes with changing thickness, the absorbed amount of the Halo Energy , reacts at the bellows to form the shear deformation. Then this calculated deformation is used, as an enforced load case, in the static FEM simulation.
- * Toroidal deformation is constant/maximum ($.8e-4$ m = .00315 inches) and produce decreasing Torque values with the decrease of (t)

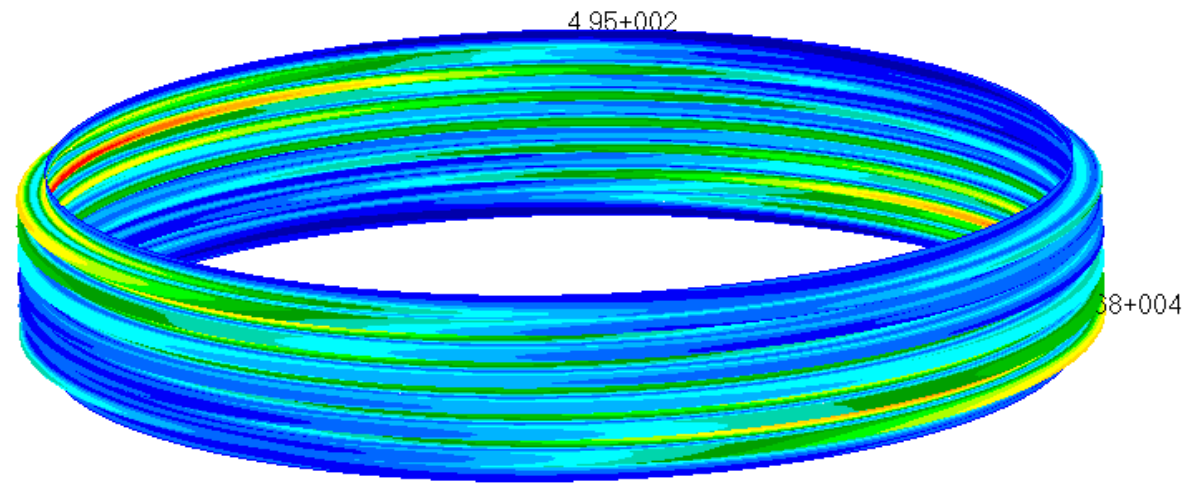
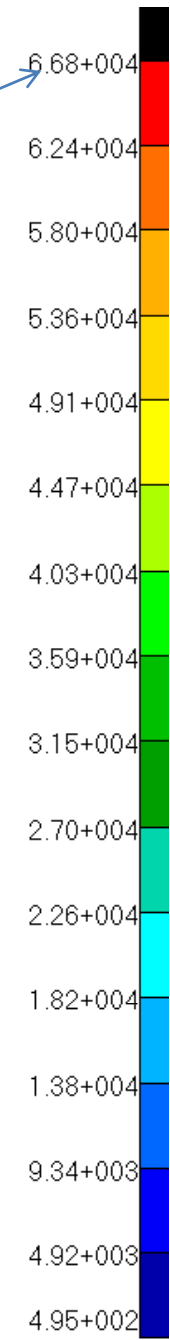
Total Loads

Calculations when all load conditions are applied simultaneously .

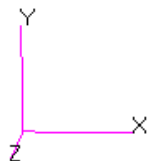
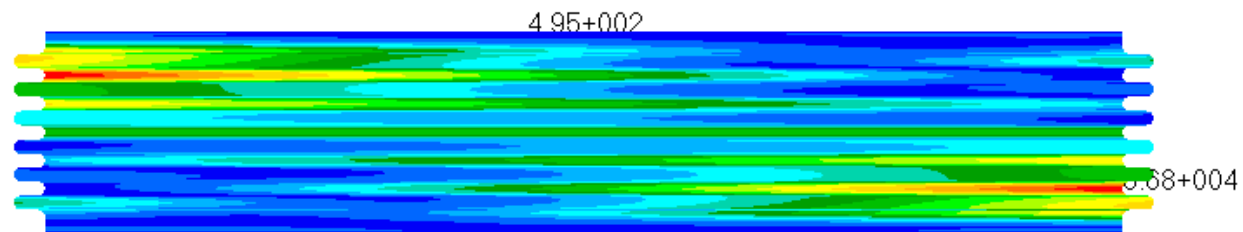
- * CS thermal expansion
- * Pressure
- * Halo Loads effects
- * Toroidal motion

COMPLETE FEM MODEL with combined loads
Delta Y = -.315 in = 8 mm (CS thermal expansion)
Delta X = .0374 in = .95 mm (from 71,120. shear rate) Halo Loads
tn = .02 in, w = 1.095 in, q= 1.0 in.
Torque = 98,211. in-lbs (.00315 in torsion)
Spring Rate, X-Dir = 71,200. lbs/inch

Units in Psi



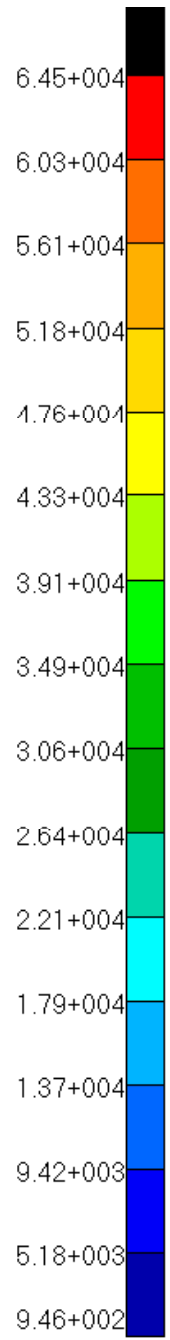
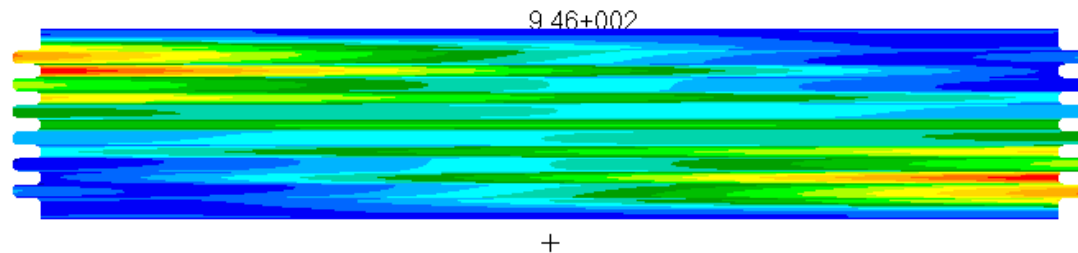
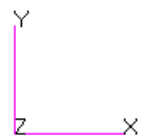
STATIC PRESSURE 14.5 psi



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Max 6.68+004 @Nd 95

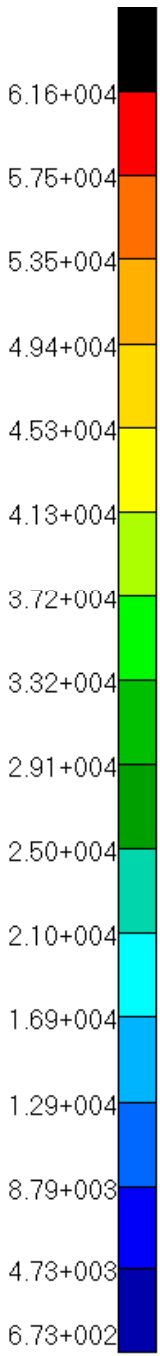
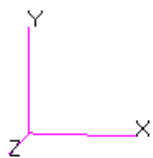
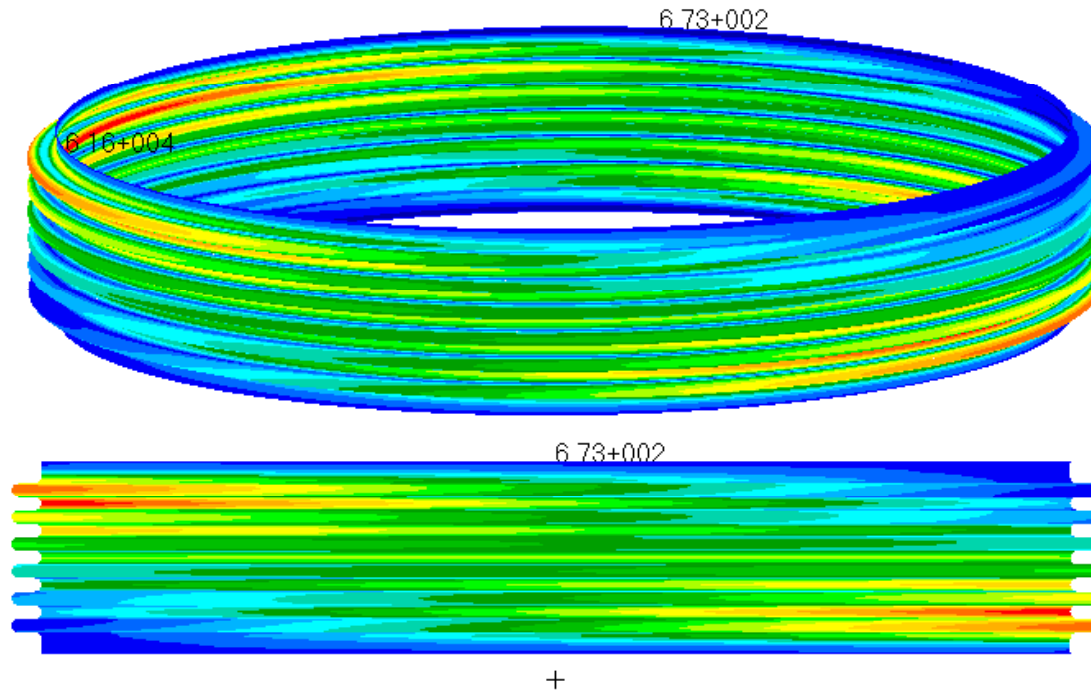
COMPLETE FEM MODEL with combined loads
Delta Y = -.315 in = 8 mm (CS thermal expansion)
Delta X = .0284 in = .72 mm (from 128,200. shear rate) Halo Load
tn = .025 in, w = 1.095 in, q = 1.0 in.
Torque = 122,800 in-lbs (.00315 in torsion)
Spring Rate, X-Dir = 128,200 lbs/inch
STATIC PRESSURE 14.5 psi

Halo



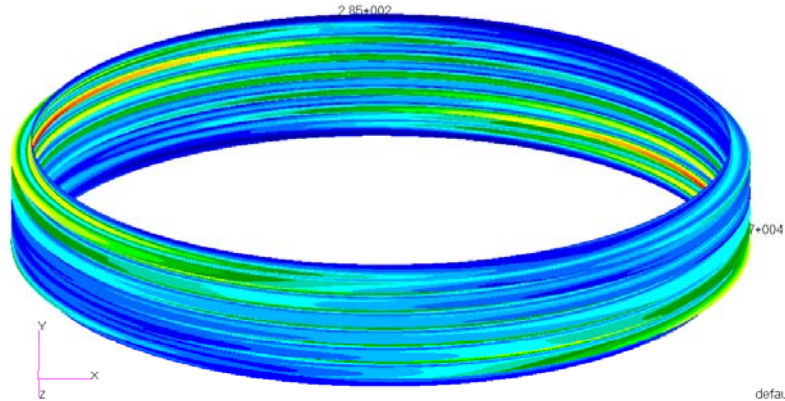
default_Fringe :
Max 6.45+004 @Nd 24937

COMPLETE FEM MODEL with combined loads
Delta Y = -.315 in = 8 mm (CS thermal expansion)
Delta X = .02 in = .508 mm (from 204,200. shear rate) Halo load
tn = .03 in, w = 1.095 in, q= 1.0 in.
Torque = 147,400. in-lbs (.00315 in torsion)
Spring Rate, X-Dir = 204,200 lbs/inch
STATIC PRESSURE 14.5 psi



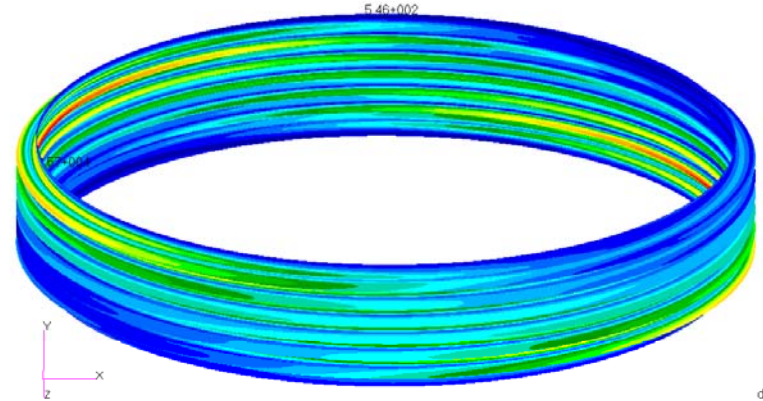
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Max 6.16+004 @ N1 21037

COMPLETE FEM MODEL with combined loads
 Delta Y = -.315 in = 8 mm (CS thermal expansion)
 Delta X = .0374 in = .95 mm (from 71,120. shear rate) Halo Loads
 tn = .02 in, w = 1.095 in, q = 1.0 in.
 Torque = 98,211. in-lbs (.00315 in torsion)
 Spring Rate, X-Dir = 71,200. lbs/inch
 STATIC PRESSURE 14.5 psi



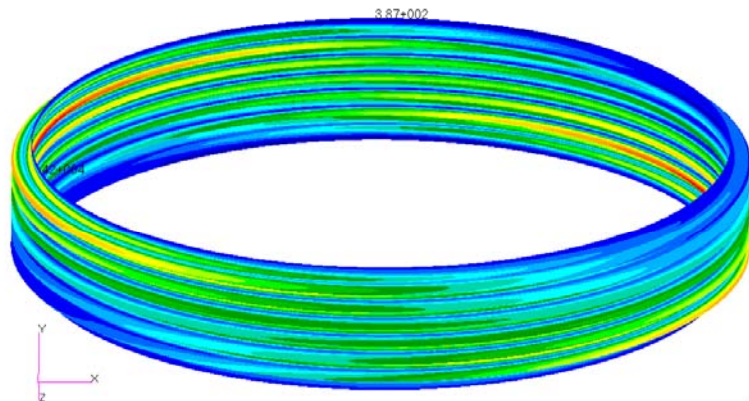
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 Min 2.85+002 @Nd 13552

COMPLETE FEM MODEL with combined loads
 Delta Y = -.315 in = 8 mm (CS thermal expansion)
 Delta X = .0284 in = .72 mm (from 128,200. shear rate) Halo Load
 tn = .025 in, w = 1.095 in, q = 1.0 in.
 Torque = 122,800 in-lbs (.00315 in torsion)
 Spring Rate, X-Dir = 128,200 lbs/inch
 STATIC PRESSURE 14.5 psi



default_Fringe :
 Max 3.57+004 @Nd 24937
 Min 5.46+002 @Nd 13063

COMPLETE FEM MODEL with combined loads
 Delta Y = -.315 in = 8 mm (CS thermal expansion)
 Delta X = .02 in = .508 mm (from 204,200. shear rate) Halo load
 tn = .03 in, w = 1.095 in, q = 1.0 in.
 Torque = 147,400. in-lbs (.00315 in torsion)
 Spring Rate, X-Dir = 204,200 lbs/inch
 STATIC PRESSURE 14.5 psi



default_Fringe :
 Max 3.42+004 @Nd 49387
 Min 3.87+002 @Nd 12737

All load applied Max Shear

Summary of stresses for total loads combination

Thickness	von Misses	Max Shear	delta Y	Delta X	Pressure	Torque	X-Spring Rate
inches	psi	psi	inch	inch	psi	in-lbs	lbs/inch
0.02	66,800.0	36,700.0	-0.315	0.0374	14.5	98,211.0	71,200.0
0.025	64,500.0	35,700.0	-0.315	0.0284	14.5	122,800.0	128,200.0
0.03	61,600.00	34,200.0	-0.315	0.02	14.5	147,400.0	204,200.0

Notes: For INCONEL, say, $S_y=95,000$ psi, $2/3S_y = 63,300$ psi, Bellows thickness of .030 in can be selected

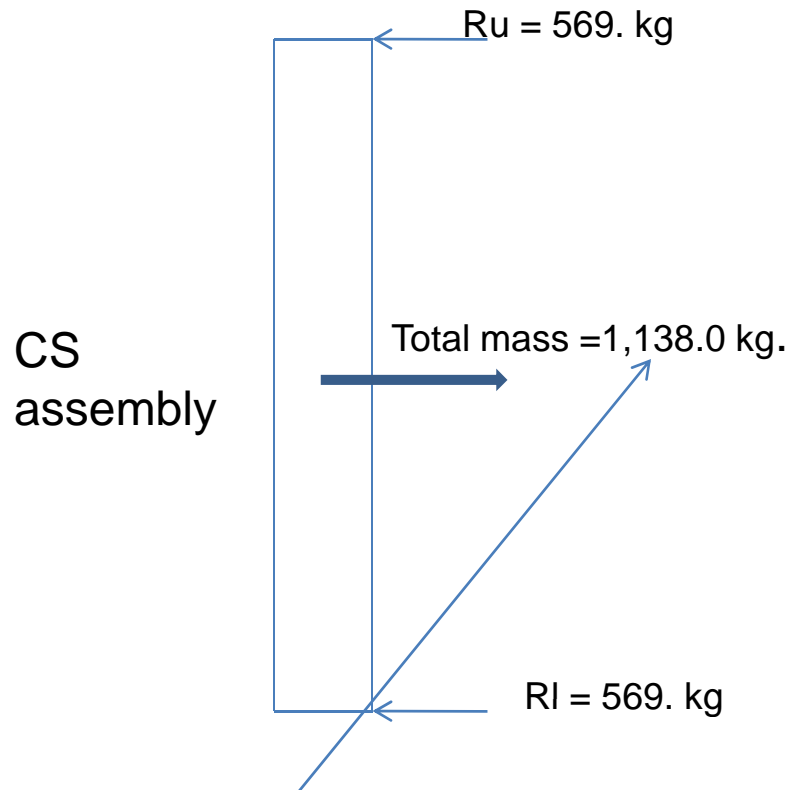
X-Spring Rate is based on 1 .0 mm (.0394 inch) shear deformation and for selected bellows thickness, Delta X is calculated using this spring rate.

Torgue is based on the toroidal deformation ($.8e-4$ m) of the selected bellows thickness
Applied at Node # 49436 as "Moment Y" (d.o.f. "Ry" through Nastran "Coord 0")

Delta Y due to the CS thermal expansion

Pressure always present

Seismic force/reaction calculation



Use acceleration = .5 Gs.

(P. Titus)

$$\begin{aligned} \text{Reaction at bellows} &= 569. \times .5 \times 2.204 \text{ lbs.} \\ &= 627.0 \text{ lbs} \end{aligned}$$

Note: this is considering maximum spring rate reaction at Ru and Rl. Since in our case, spring rates are much lower, shear reaction at the bellows will decrease accordingly.

Chances for this event are minimal.

Reff. E-mail from A. Brooks/A. Jarivala

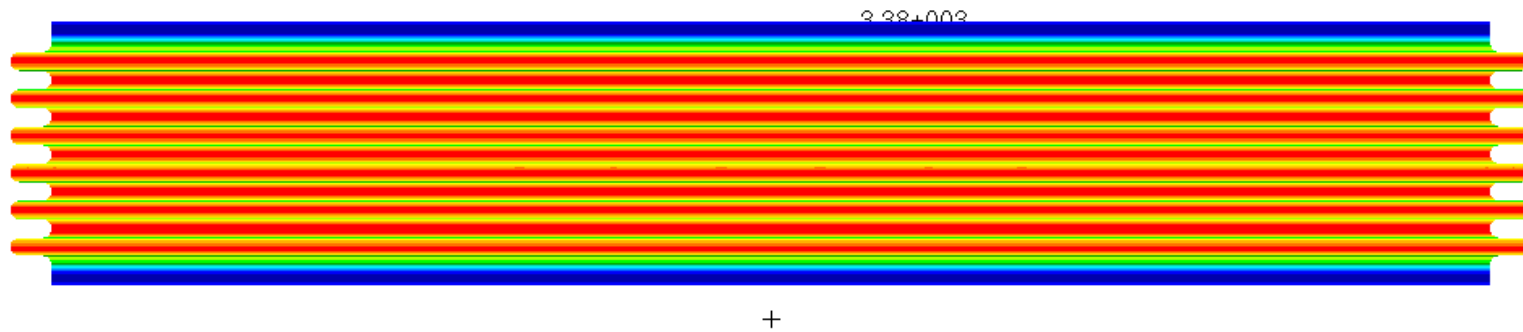
Maximum Stresses due to individual Load conditions

W = 1.095 in. (convolution height), q=1.0 in (convolution pitch)

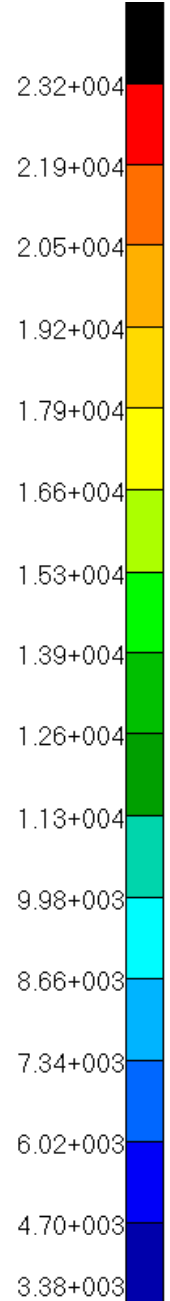
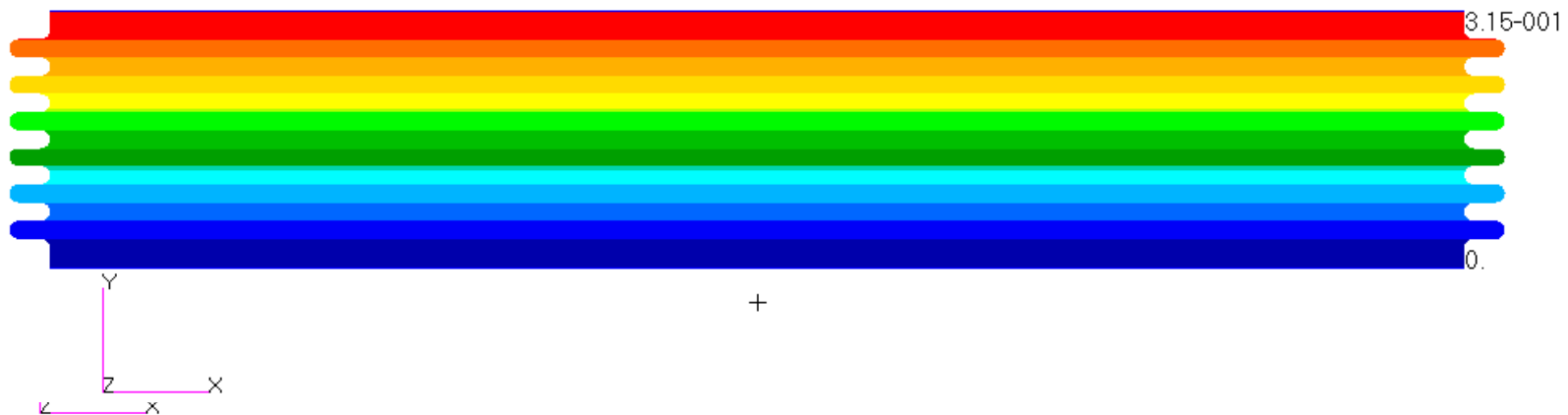
Thicknes inch	Axial psi	Presure psi	Halo psi	Halo Shear psi	Torsional psi
0.02	23,200.0	15,600.0	38,500.0	19,900.0	3,790.0
0.025	28,800.0	10,900.0	34,500.0	18,100.0	3,820.0
0.03	34,400.0	8,100.0	27,500.0	14,500.0	3,850.0
For Halo Loads --- Variable spring rate (function of thickness).					
For Torsion -- Constant deformation along the upper edge of the bellows. (=0.00315 in)					
Note : These stresses do not show at different locations of the bellows, and, therefore, do not add linearly (see stresses due to the combined loads above)					
All stresses are von Mises at element fiber "Z2"					

Calculations for each load case independently.
This is provided for better understanding of bellows reaction to various load conditions and for easier selection based on material thickness.

Delta Y = -.315 in = 8 mm (CS thermal expansion)
tn = .02 in, w = 1.095 in, q = 1.0 in.



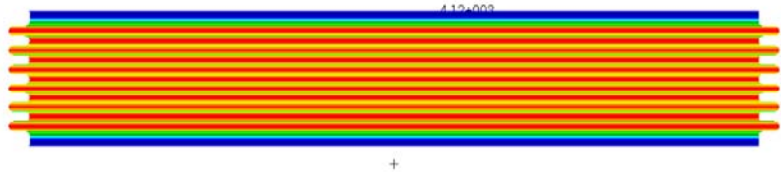
Deformation profile for axial loads



default_Fringe :
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Min 3.38+003 @Nd 11758

Delta Y = -.315 in = 8 mm (CS thermal expansion)

tn = .025 in, w = 1.095 in, q = 1.0 in.

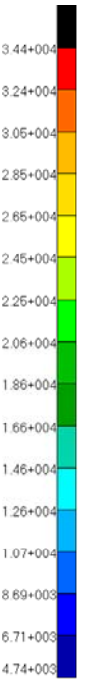
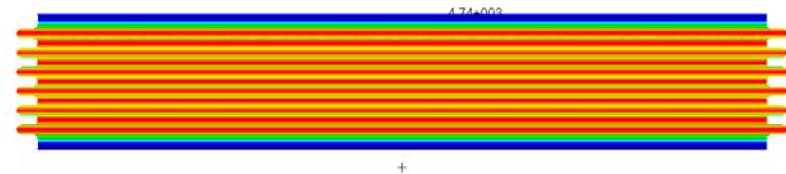


default_Fringe :
 Max 2.88+004 @Nd 7082
 Min 4.12+003 @Nd 11758

Thickness	Max. stress von Mises	Delta
.020 in.	23,200 psi	Delta =5,600. psi
.025 in.	28,800 psi	Delta =5,600. psi
.030 in.	34,400 psi	

Delta Y = -.315 in = 8 mm (CS thermal expansion)

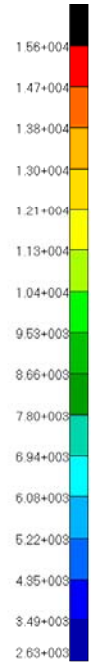
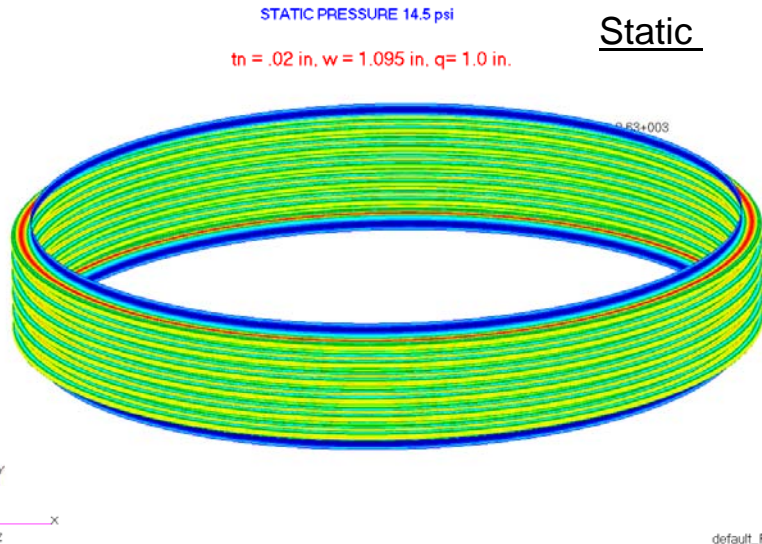
tn = .03 in, w = 1.095 in, q = 1.0 in.



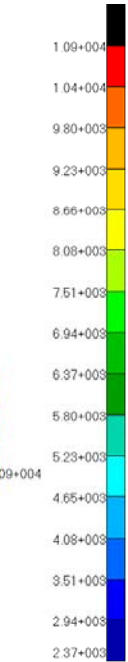
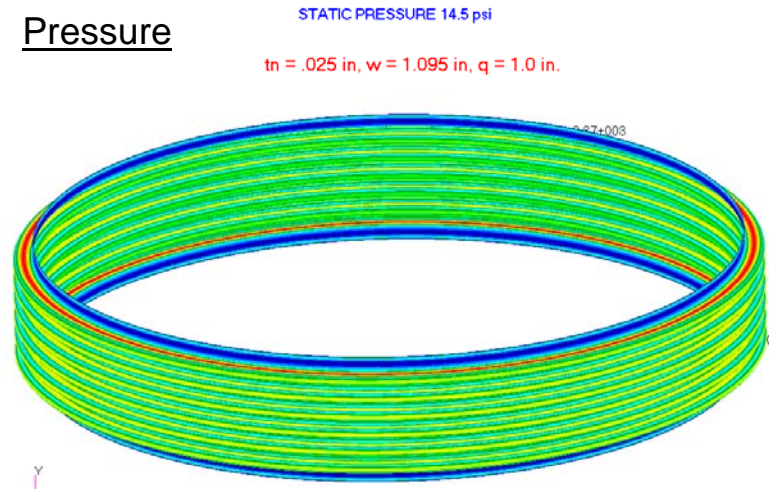
default_Fringe :
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 Min 4.74+003 @Nd 11758

Axial315t030,A22
 (Load case designation
 for each configuration)

See Appendix for description
 of all cases

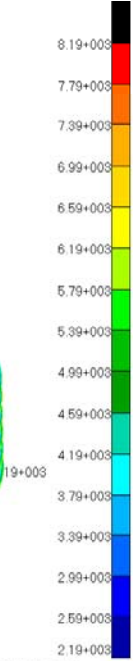
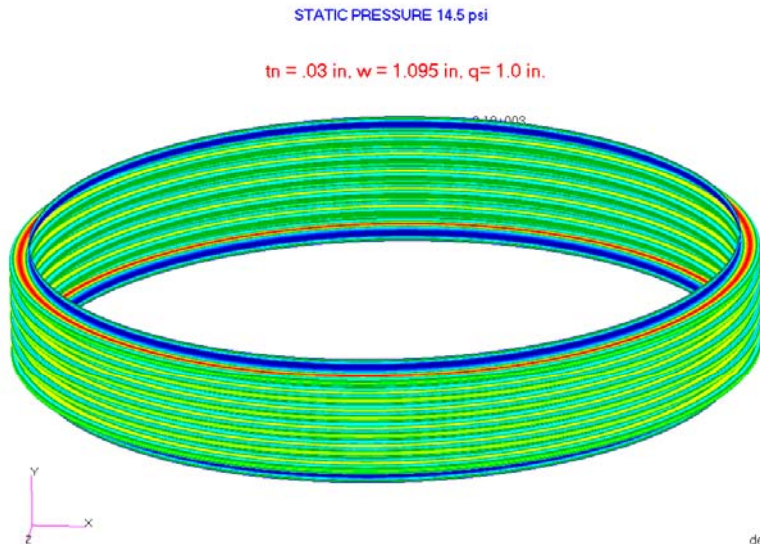


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 Min 2.63e+03 @Nd 7519



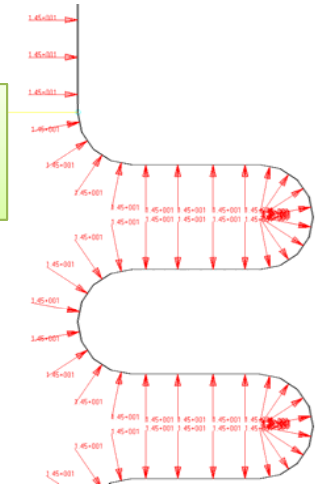
default_Fringe :
 Max 1.09e+04 @Nd 1165
 Min 2.37e+03 @Nd 9475

Thickness	Max. stress von Mises	Delta
.020 in.	15,600. psi	Delta = 4,700. psi
.025 in.	10,900. psi	Delta = 2,710. psi
.030 in.	8,190. psi	



default_Fringe :
 Max 8.19e+03 @Nd 1165
 Min 2.19e+03 @Nd 11757

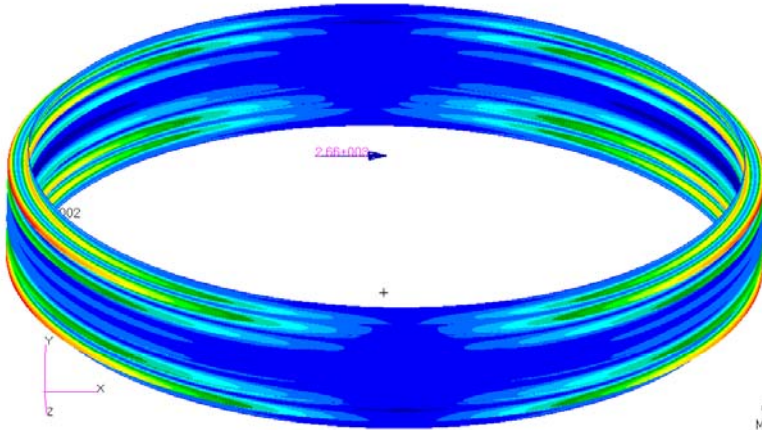
General pressure application



Delta X = .0374 in = .95 mm (from 71,120. shear rate) Halo Loads

tn = .02 in, w = 1.095 in, q = 1.0 in.

Spring Rate, X-Dir = 71,200. lbs/inch



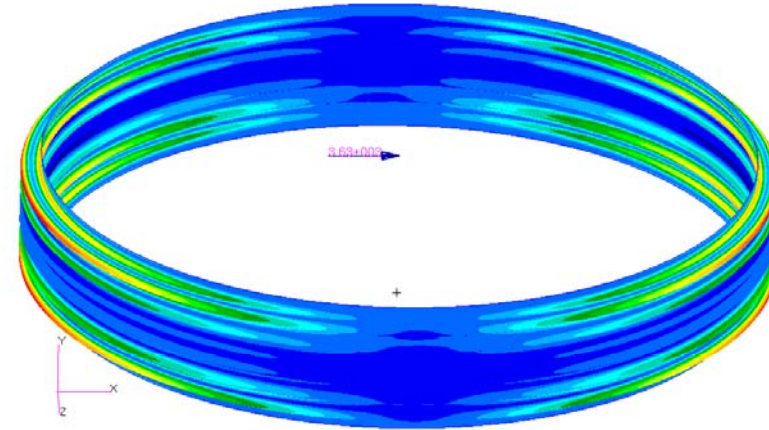
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Min 2.17e+002 @Nd 24893



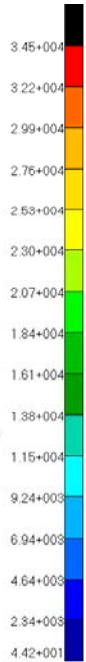
Delta X = .0284 in = .72 mm (from 128,200. shear rate) Halo Load

tn = .025 in, w = 1.095 in, q = 1.0 in.

Spring Rate, X-Dir = 128,200 lbs/inch



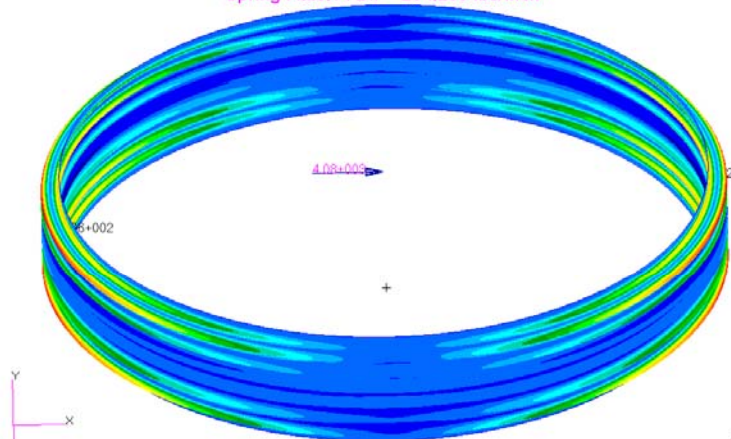
default_Fringe :
Max 3.45e+004 @Nd 454
Min 4.42e+001 @Nd 257



Delta X = .02 in = .508 mm (from 204,200. shear rate)

tn = .03 in, w = 1.095 in, q = 1.0 in.

Spring Rate, X-Dir = 204,200 lbs/inch



default_Fringe :
Max 2.75e+004 @Nd 454
Min 1.06e+002 @Nd 24893

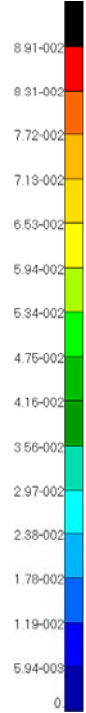


Thickness	Max. stress von Mises
.020 in.	38,500. psi Delta= 4,000. psi
.025 in.	34,500. psi Delta= 7,000. psi
.030 in.	27,500. psi

Typical Shear deformations

Due to Halo

Loads



MSC FEA 2010.1 2 64-Bit 21-Jan-11 13:08:31

Fringe: XShear020, A42:Static Subcase, Stress Tensor, Max Shear, At Z2

Vector: XShear020, A42:Static Subcase, Constraint Forces, Translational, (NON-LAYERED)

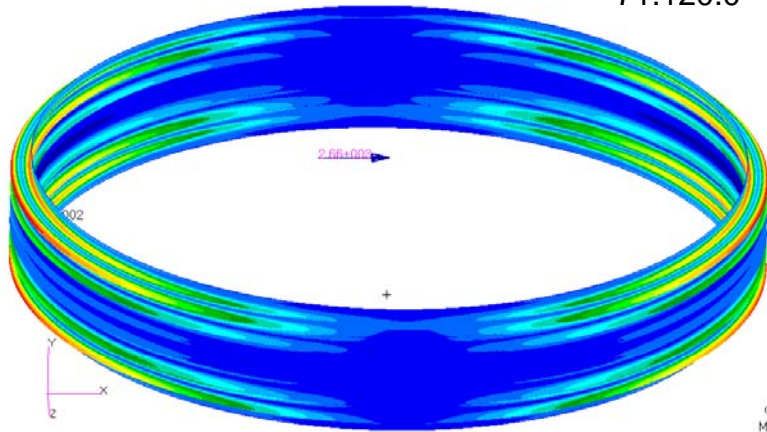
Delta X = .0284 in = .72 mm (from 128,200. shear rate) Halo Load

tn = in, w = 1.095 in, q = 1.0 in.

Spring Rate, X-Dir = lbs/inch

.02

71.120.0



1.99+004
1.86+004
1.73+004
1.60+004
1.47+004
1.33+004
1.20+004
1.07+004
9.37+003
8.05+003
6.73+003
5.41+003
4.09+003
2.77+003
1.44+003
1.23+002
default_Fringe :
Max 1.99+004 @Nd 454
Min 1.23+002 @Nd 24893

MSC FEA 2010.1 2 64-Bit 21-Jan-11 13:06:21

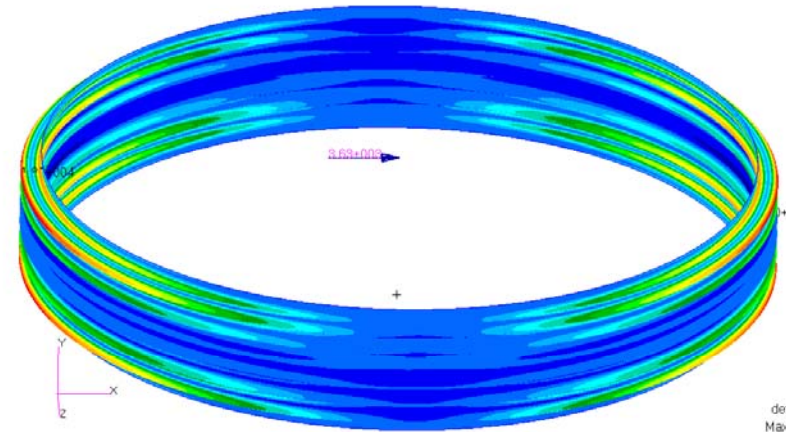
Fringe: XShear025, A41:Static Subcase, Stress Tensor, Max Shear, At Z2

Vector: XShear025, A41:Static Subcase, Constraint Forces, Translational, (NON-LAYERED)

Delta X = .0284 in = .72 mm (from 128,200. shear rate) Halo Load

tn = .025 in, w = 1.095 in, q = 1.0 in.

Spring Rate, X-Dir = 128,200 lbs/inch



1.81+004
1.69+004
1.57+004
1.45+004
1.33+004
1.21+004
1.09+004
9.66+003
8.46+003
7.25+003
6.05+003
4.84+003
3.64+003
2.43+003
1.23+003
2.40+001
default_Fringe :
Max 1.81+004 @Nd 24948
Min 2.40+001 @Nd 257

MSC FEA 2010.1 2 64-Bit 14-Jan-11 12:24:07

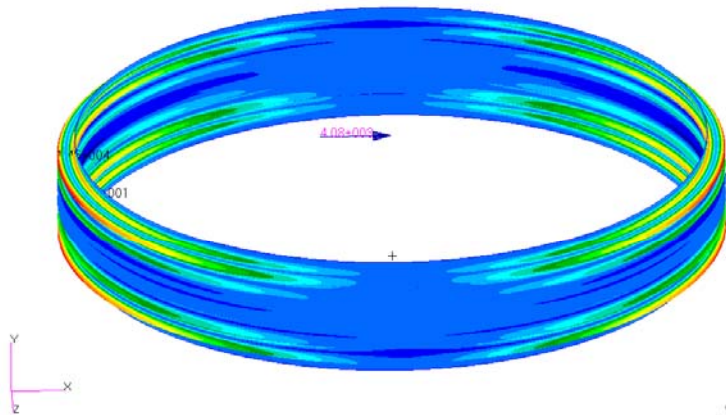
Fringe: XShear030, A34:Static Subcase, Stress Tensor, Max Shear, At Z2

Vector: XShear030, A34:Static Subcase, Constraint Forces, Translational, (NON-LAYERED)

Delta X = .02 in = .508 mm (from 204,200. shear rate)

tn = .03 in, w = 1.095 in, q = 1.0 in.

Spring Rate, X-Dir = 204,200 lbs/inch



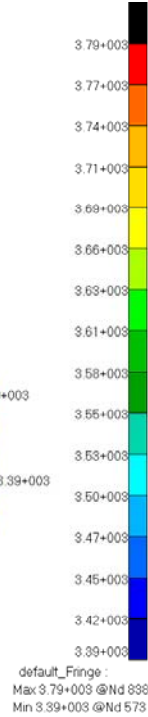
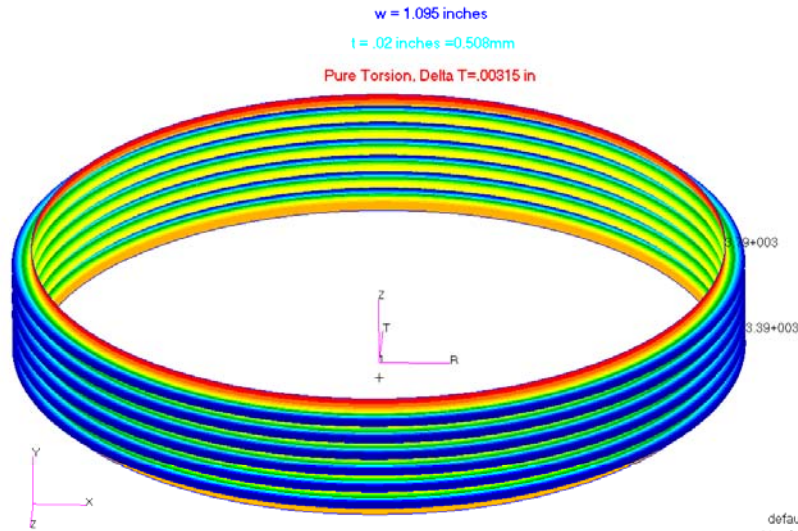
1.45+004
1.35+004
1.26+004
1.16+004
1.07+004
9.69+003
8.73+003
7.76+003
6.80+003
5.84+003
4.87+003
3.91+003
2.95+003
1.98+003
1.02+003
5.67+001
default_Fringe :
Max 1.45+004 @Nd 24948
Min 5.67+001 @Nd 24893

Halo Loads

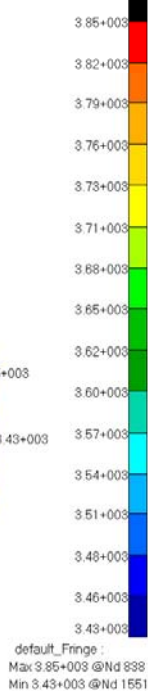
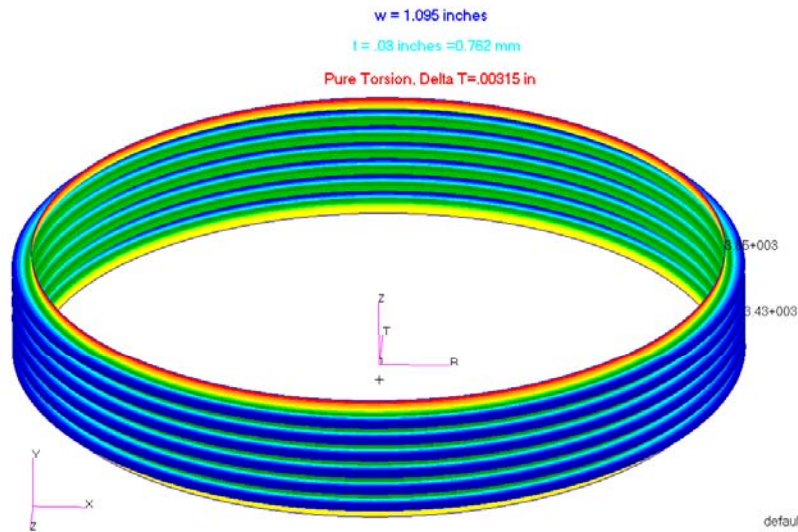
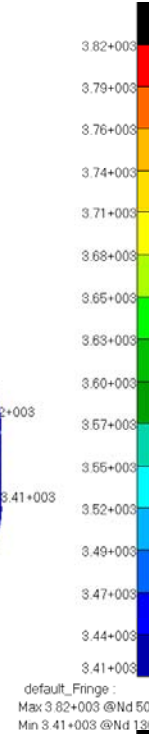
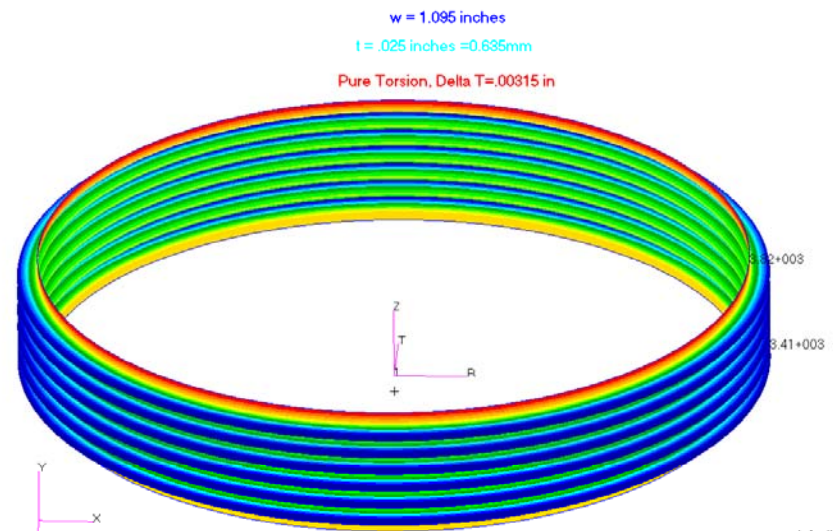
Shear Stresses

Thickness	Stresses Max Shear
.020 in.	19,900. psi Delta = 1,800. psi
.025 in.	18,100. psi Delta = 3,600. psi
.030 in.	14,500. psi

Toroidal



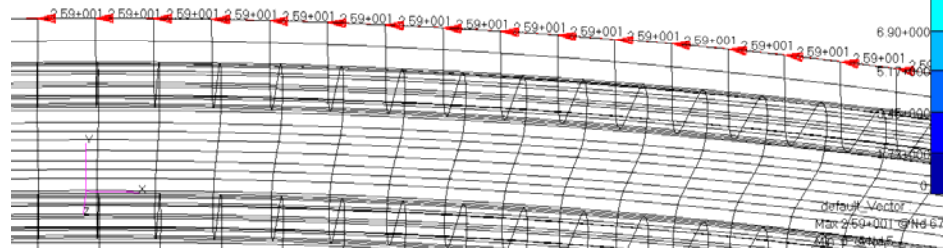
Calculations



Example for torque calculation

w = 1.095 inches
 t = .03 inches = 0.762 mm
 Pure Torsion, Delta T = .00315 in

Applied toroidal deformation = .00315 at each of the 300 upper edge nodes as spcd loads which calculated constraints as is shown . Therefore, Torque = 300 x 25.86 x 19. (radius) = 147,400.0 in-lbs. These torques are used in the "Totalloads" runs. This values is for t=.03 in. Same method used for t=.020 and .025.



Appendix A

Complete list of the NASTRAN runs and post processing Data Base files:

Bellows 3.db: Individual runs

Axial315t02, A20 – (for $X = -.315$ and $t = .02$ inches)
Axial315t025, A21 – (for $X = -.315$ and $t = .025$ inches)
Axial315t030, A22 – (for $X = -.315$ and $t = .030$ inches)

Prest030, A23 – (only pressure and $t = .030$ inch)
Prest025, A24 – (only pressure and $t = .025$ inch)
Prest020, A25 – (only pressure and $t = .020$ inch)

XShear020, A42 – (Halo x-deformation for $t = .020$ inch)
xShear025, A41 – (Halo x-deformation for $t = .025$ inch)
xShear030, A34 – (Halo x-deformation for $t = .030$ inch)

Totalloads020, A39 – (combined loads and $t = .020$ inch)
Totalloads025, A40 – (combined loads and $t = .025$ inch)
Totalloads030, A38 – (combined loads and $t = .030$ inch)

Bellows 3Tor.db: These runs were made in order to calculate the required Torque values for the use in “Totalloads” runs.

Tor020, A4 – (constant toroidal deformation and $t = .020$ inch)
Tor025, A5 – (constant toroidal deformation and $t = .025$ inch)
Toro30, A6 – (constant toroidal deformation and $t = .030$ inch)

Executive Summary

There are two bellows used on the centerstack, The upper and lower bellows. These form the vacuum connection between the centerstack casing and the insulated ceramic electrical break that allows the CHI system to impose a voltage difference between the inside and outside of the vessel internals. the upper and lower bellows assemblies must allow relative (primarily thermal) motion between the centerstack casing and the rest of the vacuum vessel. During bake-out and during operation, the centerstack casing may develop temperatures well above the rest of the vessel.

Purpose

This calculation is intended to recommend convection geometry and a thickness of the bellows as an initial sizing exercise, and then provide a performance specification for the purchase of the bellows. Ultimately the bellows manufacturer shall provide the qualification of the bellows, but to ensure an adequate initial design this calculation shall qualify the stress state and performance for the following loading and requirements:

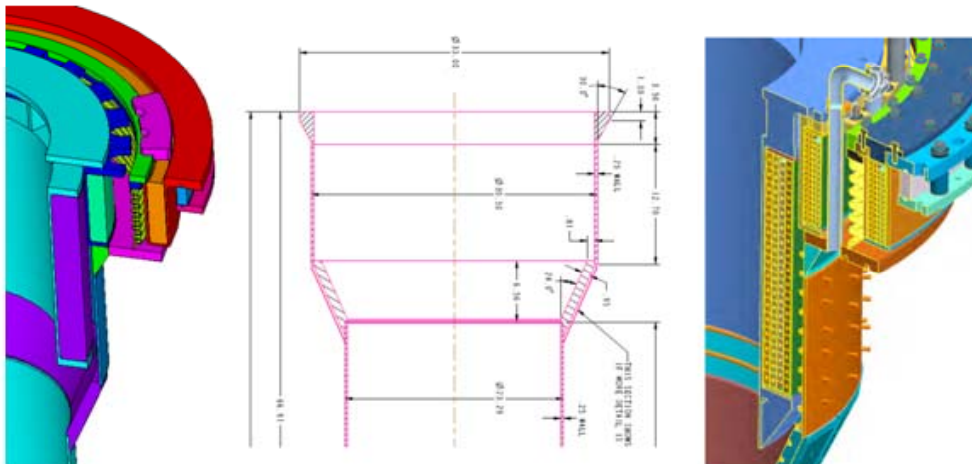
- Halo Current Loads (upper bellows only). Reference calculation #NSTX CALC 133-04-00
- The upper bellows must allow thermal motions expected during bake-out, and normal operation in which heat from the plasma is transferred to the centerstack casing through the tiles. Reference Calculation # NSTX CALC-11-01-00
- The bellows must be stiff enough to ensure adequate magnetic stability of the PF1a/OH system (see end of this calc - will be split off in a different calc)
- The upper bellows must support the seismic inertia loads Reference Calculation # NSTX CALC 10-01-02
- The upper and lower bellows must transmit some portion of the torsional moment from the outer vessel structure to the centerstack casing. In the centerstack, the casing is a redundant load path for the torsional moment, most of which is transferred through the umbrella structure to inner TF collar. The torsional Shear stresses will be quantified in the global analysis calculation # NSTX CALC 10-01-02.
- There may be local moments, or displacements from the vessel or centerstack casing that need to be considered in addition to those predicted by the global model.

Additionally, this calculation will consider and qualify the stresses in the ceramic break and Viton seal. The ceramic break and Viton seal are considered in the global analysis calculation# NSTX CALC 10-01-02, and the inner PF coil calculations #NSTX CALC 133-01-00. Local and detailed stresses in the ceramic break and viton seal will be quantified in this calculation

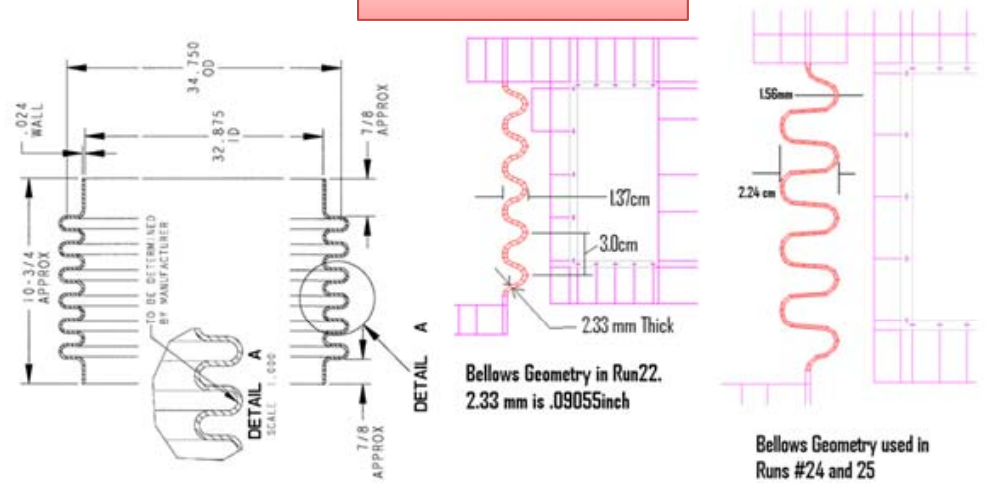
APPENDIX B

Previous calculations – Included here only as reference and deeper understanding of various loads.

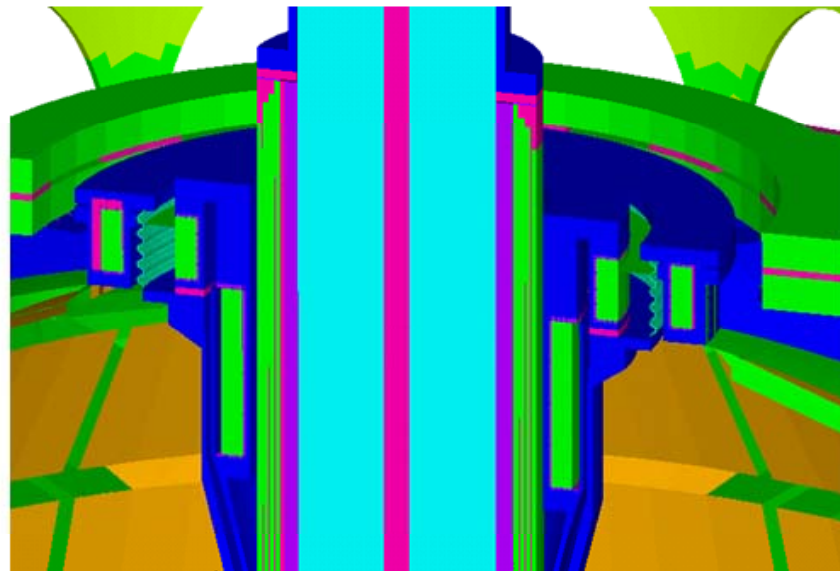
Note: This data was presented under the present calculation number and it was considered preliminary. It is included here simply because it describes the flow process for the required load considerations.



APPENDIX B

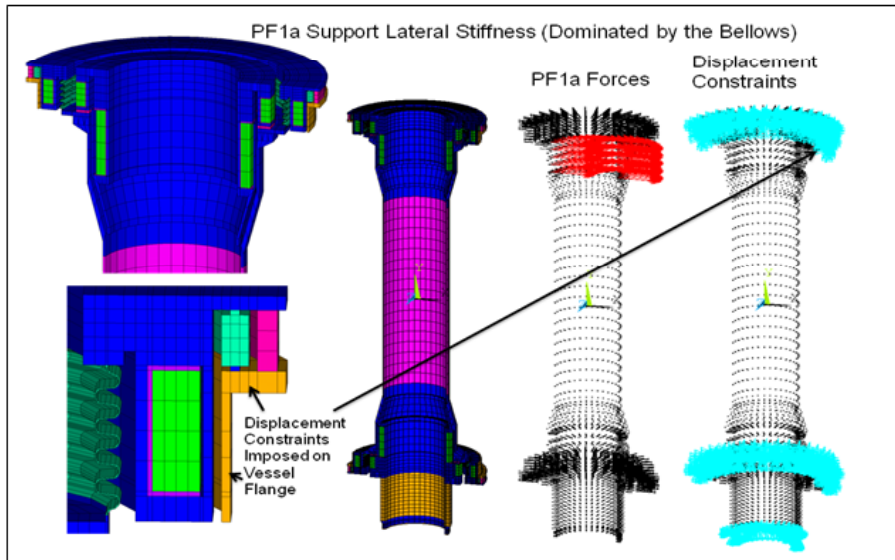


Upper Bellows geometry in the Global Model, NSTX CALC 10-01-02



Upper Bellows model in the Global Model, NSTX CALC 10-01-02

APPENDIX B



Vertical Expansion of the Centerstack Casing

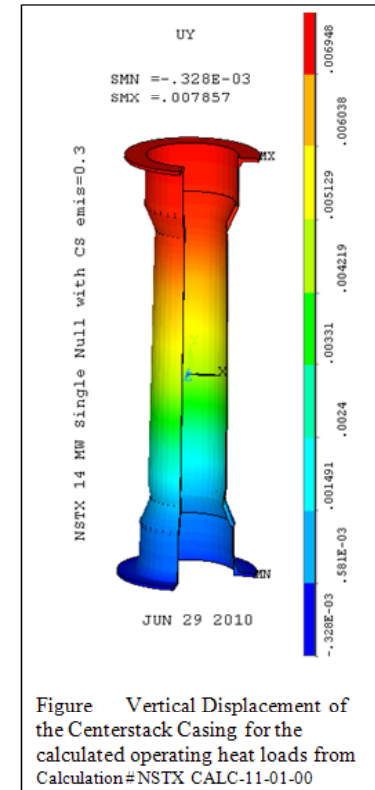


Figure Vertical Displacement of the Centerstack Casing for the calculated operating heat loads from Calculation#NSTX CALC-11-01-00

The Upper Bellows Supplies the Needed Structural Stiffness. The CS Casing is fixed to the Skirt at the Bottom

Structural Stiffness for Lateral Loading of PF1a Alone

3000N total applied as nodal forces

Structural Stiffness= $3000N / .705e-5 = 425MN/m$

>>>>

Magnetic Stiffness= $3189 / .005 N/m = .637MN/m$

PF1a is stable

ANSYS 10.0
JUL 7 2010
SEQV

SMN	=394.371
SMX	=3.93E+07
1	394.371
2	437262
3	874129
4	.131E+07
5	.175E+07
6	.262E+07
7	.306E+07
8	.350E+07
9	.393E+07

ANSYS 10.0
JUL 7 2010
12:37:45
NODAL SOLUTION
STEP=1
SUB =1
TIME=1

UX (AVG)

SMN	=-.292E-06
SMX	=.705E-05
*DIST	=.81679
*XF	=-.107927
*YF	=1.411
*ZF	=-.369414
Z-BUFFER	
1	-.292E-06
2	-.524E-06
3	-.134E-05
4	-.216E-05
5	-.460E-05
6	-.542E-05
7	-.623E-05
8	-.705E-05

Final_ EJMA.ppt

EJMA vs. NASTRAN Calculations
Used to check the Finite Element simulation

	EJMA -Stress		NASTRAN -Stress		Shear rate	Torque	
	psi		psi		lbs/in	in-lbs	
Thickness	Pressure	Axial	Pressure	Axial			
.020 in	15,200.0	25,600.0	15,600	23,300.0	71,120.0	98,211.0	
					2800#/mm		
.025 in	9,736.0	31,990.6	9,640.0	28,800.0	128,200.0	122,800.0	
					5040#/mm		
.030 in	6,762.0	38,386.0	6,970.0	34,400.0	204,200.0	147,400.0	
			8,190.0		8,040#/mm		
	Note:	w= 1.095 for all calculations					
		q=1.0 inches			Torsional delta = .00315in = .8e-4m		
		1.0 mm= .0394 in					

Results From Pressure and Axial Loads only

EJMA Equations						
Thickness inch	S3 psi	S4 psi	S5 psi	S6 psi	St psi	Spring Rate lbs/in
0.02	269.0	15,211.0	137.0	25,594.2	36,567.0	1,136.5
0.025	322.2	9,737.0	213.4	31,991.0	39,245.0	2,219.6
0.03	269	6,762.4	307.2	38,386.3	43,615.2	3,835.2
All equations are listed in the EJMA spread sheets						
"St" Is Total stress used for Fatigue Life (Nc)						

Equations are from Section 4.13 of the EJMA manual

Slides #3 and #4 present calculation for , t = .02, w = 1.095, q = 1.0 inches

Slides #5 and #6 present calculation for , t = .025, w = 1.095, q = 1.0 inches

Slides #7 and #8 present calculation for , t = .03, w = 1.095, q = 1.0 inches

Slides #9 to #11 present data for various coefficients which are used in the above calculations.

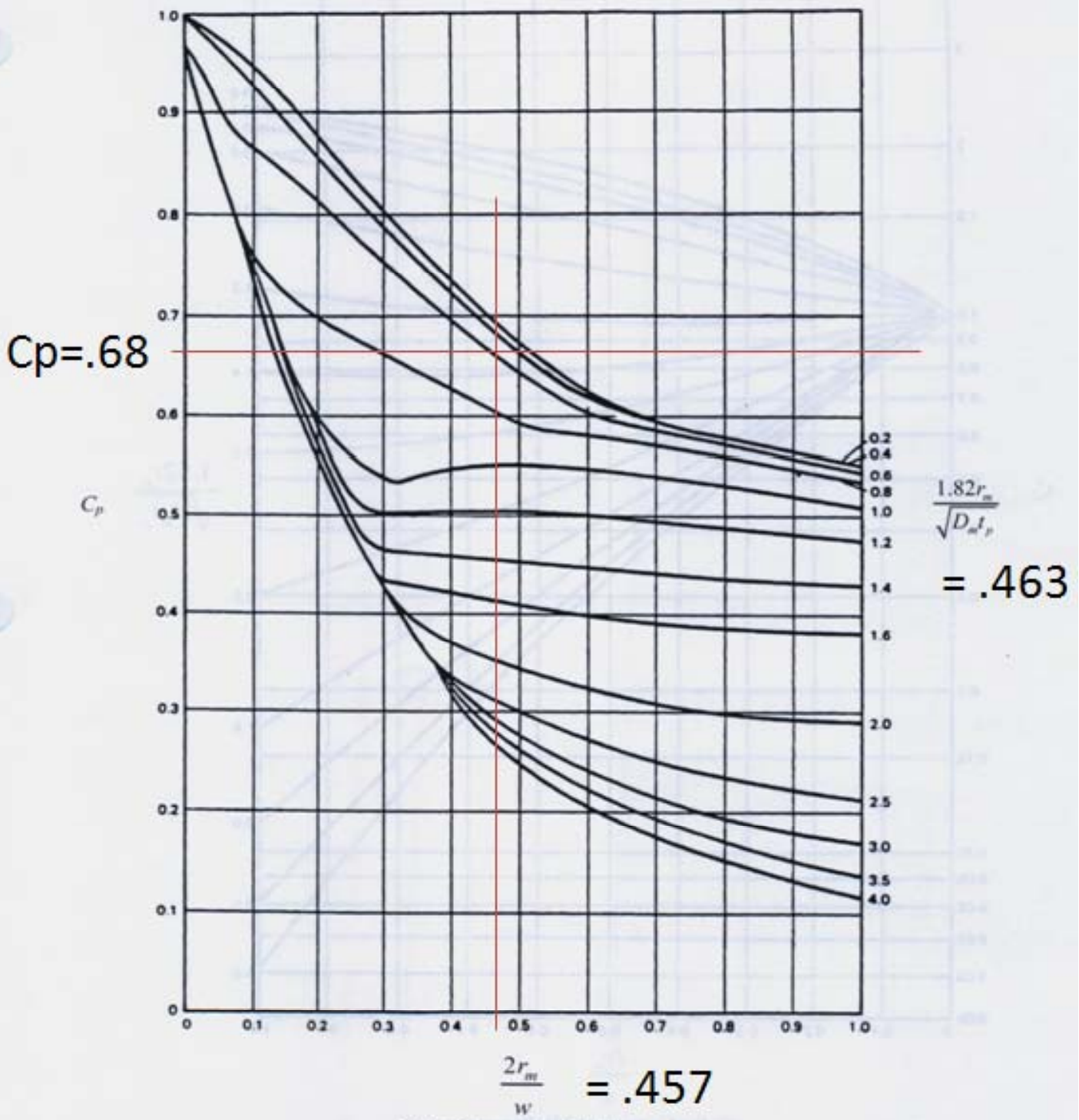
44							
45							
46		$S_6=5(Eb)(tp)e/3(w^2)C_d$				Meridional Bending due to deflection	
47						Eq.4-33	
48		S_6	25594.13	psi			
49							
50		C_d	1.63			from curve, Figure 4-18	
51							
52		<u>Spring Rate</u>					
53							
54		$f_{iu}=1.7 ((DmEb(tp^3)n)/(w^3)C_f)$				Bellows Theoretical Axial Spring Rate	
55						Eq.4-37	
56		tp^3	7.7E-06				
57		$DmEb$	1.1E+09				
58		$DmEb*(tp$	8689.44				
59		w^3C_f	2.16634				
60							
61		f_{iu}	6818.9	lbs/in		<u>Note: Per convolution</u>	
62							
63		K_{total}	1136.48	lbs/in		For N=6 (total convolutions)	
64						in series	
65		6818.9	3409.45	1704.73	1136.48		
66		6818.9					
67		6818.9	3409.45				
68		6818.9					
69		6818.9	3409.45				
70		6818.9					
71							
72							
73		<u>Required Parameters for all Curve Constants</u>					
74							
75		$1.82rm/(Dmtp)^{-2}$		0.518			
76		rm		0.25	in		
77							
78		$2rm/w$		0.457			
79							
80		<u>Fatigue Life Calculations</u>					
81							
82		$St = 0.7 (S_3 + S_4) + (S_5 + S_6)$				See Figure 4-20	
83							
84		$St=$	36566.8	psi			
85							

	EJMA Calculations for $t=0.025$, $w=1.095$, $q= 1.0$ inches				
2					
3					
4					
5	Db	38	in	Inside diameter	
6					
7	$D_m = D_b + w + nt$	39.12	in	Mean diameter	
8					
9	$tp = t(D_b/D_m)^{-2}$	0.02464	in		
10	tp^2	0.00061			
11	C_p	0.68		from curves, Figure 4.16 EJMA	
12					
13	n	1		material plies of thickness "t"	
14	t	0.025	in		
15	w	1.095	in		
16	w^3	1.31293			
17					
18	q	1	in		
19	P	14.5	psi		
20					
21	$S_3 = Pw/2ntp$			Meridional Membrane due to pressure	
22				Eq. 4-30	
23	S_3	322.20	psi		
24					
25	$P/2$	7.25			
26					
27	$(w/tp)^2$	1974.98			
28					
29	$S_4 = P/2n(w/tp)^2 C_p$			Meridional Bending due to pressure	
30				Eq.4-31	
31	S_4	9736.67	psi		
32					
33	E_b	2.9E+07	psi	Elastic modulus	
34					
35	$e = X/N$	0.0525	in	Per convolution	
36	X	0.315	in		
37	N	6		Number of convolutions	
38	C_f	1.65		from curve, Figure 4.17 EJMA	
39					
40	$S_5 = E_b(tp)^2(e)/2(w)^3 * C_f$			Meridional membrane due to deflection	
41				Eq. 4-32	
42	S_5	213.34	psi		
43					

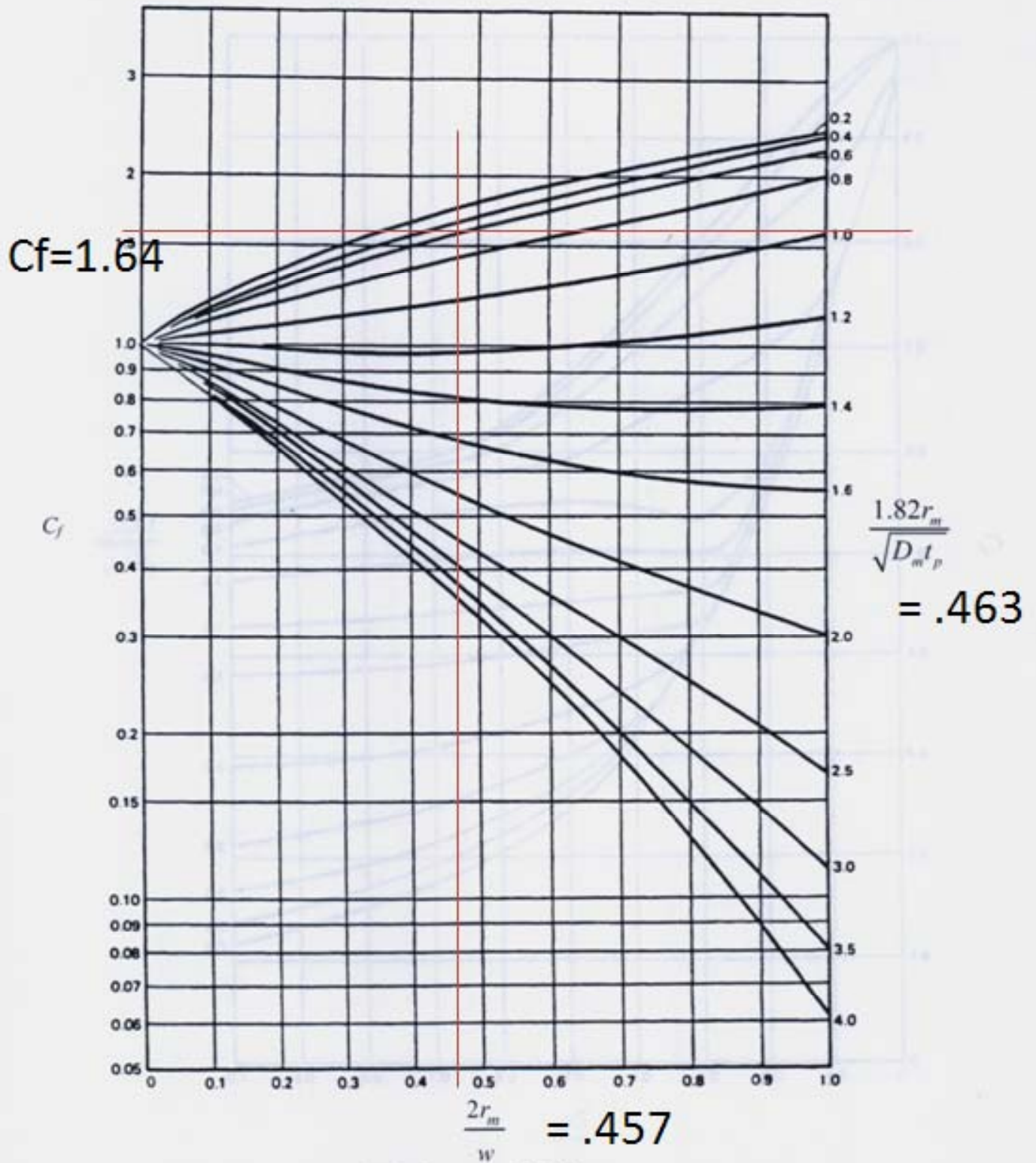
43							
44							
45							
46		$S_6 = 5(Eb)(tp)e/3(w^2)C_d$				Meridional Bending due to deflection	
47						Eq.4-33	
48		S_6	31990.62	psi			
49							
50		C_d	1.63			from curve, Figure 4-18	
51							
52		<u>Spring Rate</u>					
53							
54		$f_{iu} = 1.7 ((DmEb)(tp^3)n)/(w^3)C_f$				Bellows Theoretical Axial Spring Rate	
55						Eq.4-37	
56		tp^3	1.5E-05				
57		$DmEb$	1.1E+09				
58		$DmEb*(tp^3)$	16970.5				
59		w^3C_f	2.16634				
60							
61		f_{iu}	13317.3	lbs/in		Note: Per convolution	
62							
63		K_{total}	2219.55	lbs/in		For N=6 (total convolutions)	
64						in series	
65		13317.3	6658.66	3329.33	2219.55		
66		13317.3					
67		13317.3	6658.66				
68		13317.3					
69		13317.3	6658.66				
70		13317.3					
71							
72							
73		<u>Required Parameters for all Curve Constants</u>					
74							
75		$1.82rm/(Dmtp)^{-2}$		0.463			
76		rm	0.25	in			
77							
78		$2rm/w$		0.457			
79							
80		<u>Fatigue Life Calculations</u>					
81							
82		$S_f = 0.7 (S_3 + S_4) + (S_5 + S_6)$				See Figure 4-20	
83							
84		S_f	39245.2	psi			
85							

EJMA Calculations for t=.03 , w=1.095, q= 1.0 inches					
2					
3					
4					
5	Db	38	in	Inside diameter	
6					
7	Dm= Db+w+nt	39.125	in	Mean diameter	
8					
9	tp=(Db/Dm)^-2	0.02957	in		
10	tp^2	0.00087			
11	Cp	0.68		from curves, Figure 4.16 EJMA	
12					
13	n	1		material plies of thickness "t"	
14	t	0.03	in		
15	w	1.095	in		
16	w^3	1.31293			
17					
18	q	1	in		
19	P	14.5	psi		
20					
21	$S_3 = Pw/2ntp$			Meridional Membrane due to pressure	
22				Eq. 4-30	
23	S_3	268.50	psi		
24					
25	P/2	7.25			
26					
27	(w/tp)^2	1371.69			
28					
29	$S_4 = P/2n(w/tp)^2Cp$			Meridional Bending due to pressure	
30				Eq.4-31	
31	S_4	6762.44	psi		
32					
33	Eb	2.9E+07	psi	Elastic modulus	
34					
35	e=X/N	0.0525	in	Per convolution	
36	X	0.315	in		
37	N	6		Number of convolutions	
38	Cf	1.65		from curve, Figure 4.17 EJMA	
39					
40	$S_5 = Eb(tp)^2(e)/2(w)^3 * Cf$			Meridional membrane due to deflection	
41				Eq. 4-32	
42	S_5	307.17	psi		
43					

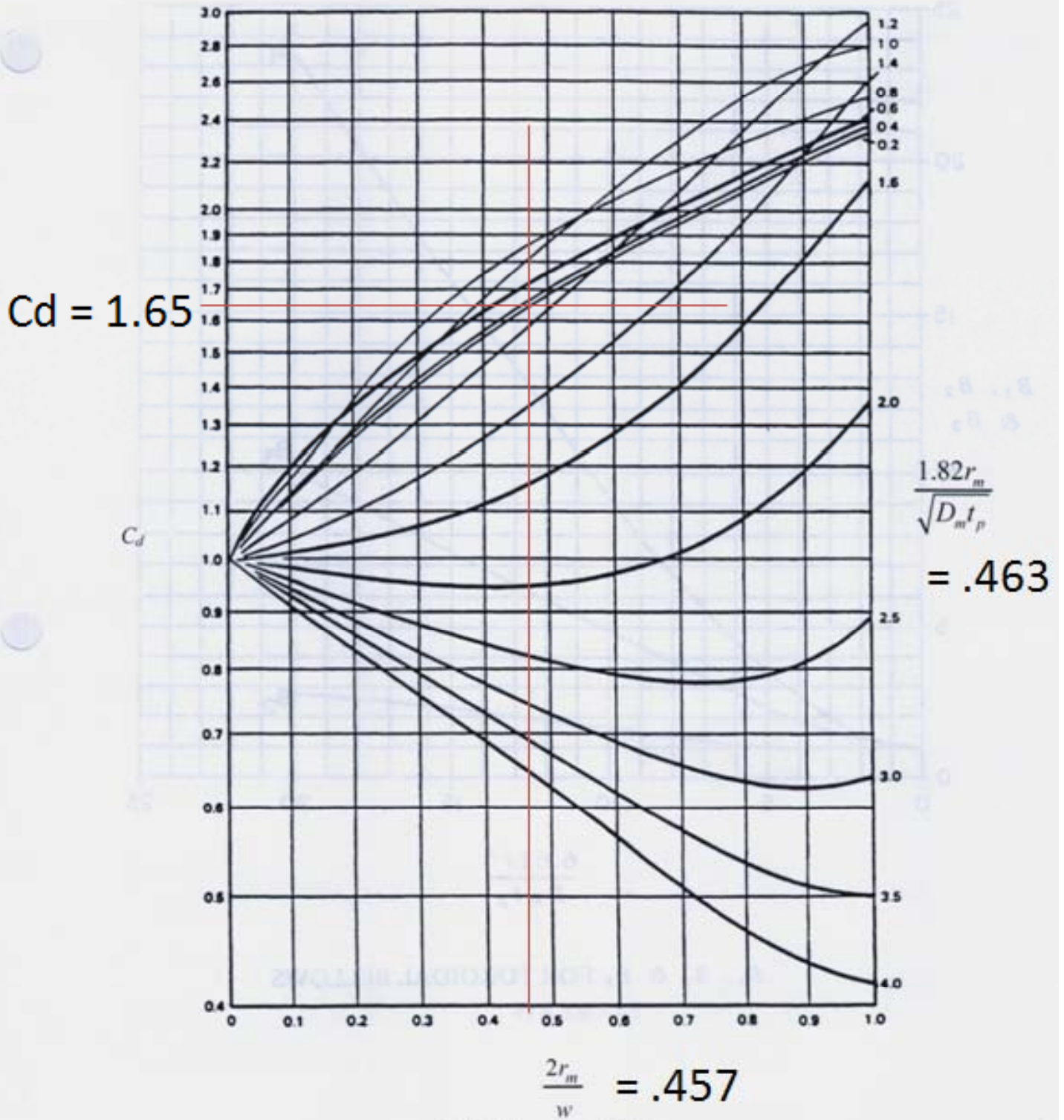
43						
44						
45						
46		$S_6=5(Eb)(tp)e/3(w^2)C_d$			Meridional Bending due to deflection	
47					Eq.4-33	
48		S_6	38386.29	psi		
49						
50		C_d	1.63		from curve, Figure 4-18	
51						
52		<u>Spring Rate</u>				
53						
54		$f_{iu}=1.7 ((DmEb(tp^3)n)/(w^3)C_f))$			Bellows Theoretical Axial Spring Rate	
55					Eq.4-37	
56		tp^3	2.6E-05			
57		$DmEb$	1.1E+09			
58		$DmEb*(tp^3)$	29323.1			
59		w^3C_f	2.16634			
60						
61		f_{iu}	23010.8	lbs/in	Note: Per convolution	
62						
63		K_{total}	3835.14	lbs/in	For N=6 (total convolutions)	
64					in series	
65		23010.8	11505.4	5752.71	3835.14	
66		23010.8				
67		23010.8	11505.4			
68		23010.8				
69		23010.8	11505.4			
70		23010.8				
71						
72						
73		<u>Required Parameters for all Curve Constants</u>				
74						
75		$1.82rm/(Dmtp)^2$		0.423		
76		rm	0.25	in		
77						
78		$2rm/w$		0.457		
79						
80		<u>Fatigue Life Calculations</u>				
81						
82		$S_f = 0.7 (S_3 + S_4) + (S_5 + S_6)$			See Figure 4-20	
83						
84		S_f	43615.2	psi		
85						



C_p for Convoluted Bellows
 FIGURE 4.16



C_f for Convolute Bellows
FIGURE 4.17



C_d for Convoluted Bellows

FIGURE 4.18

EJMA Fatigue Life estimate for combined Axial and Pressure loads only

These curves are intended to predict average fatigue life at temperatures below 800°F for austenitic stainless steel bellows which have not been heat treated and have not more than 5 plies. They are considered valid primarily in the range of 10^3 to 10^6 cycles, due to the limited data available for the very low and very high cyclic ranges. The equations are of the form provided in Design of Pressure Vessels for Low Fatigue by B.F. Langer, ASME paper 61-WA-18. The constants were modified to reflect the experience of EJMA members for bellows fatigue life.

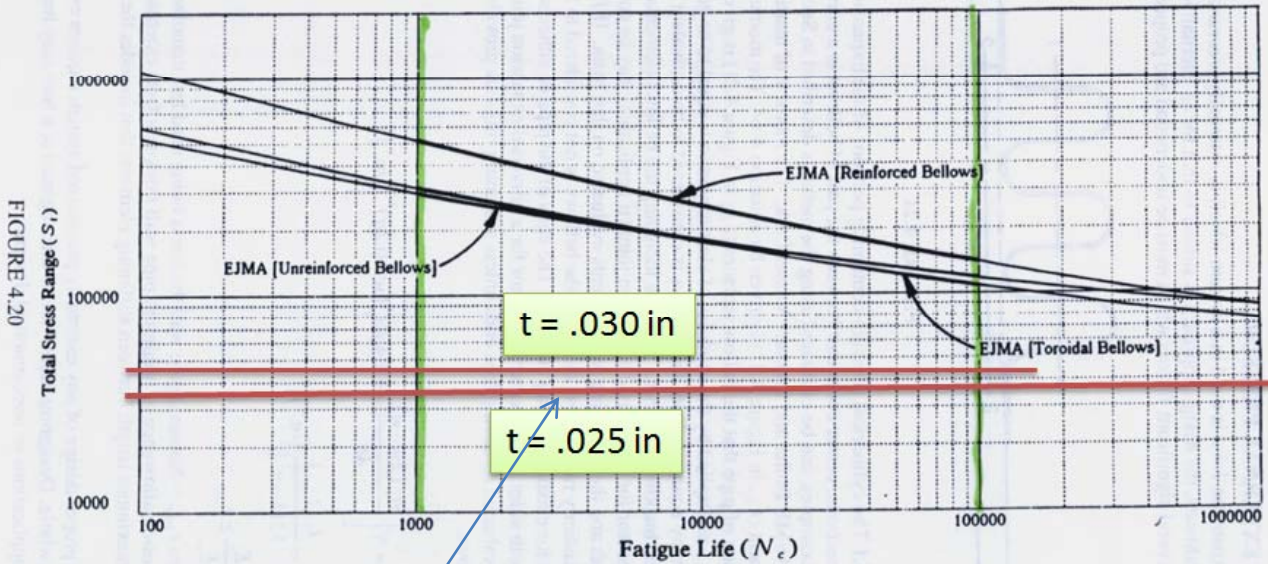


FIGURE 4.20

UNREINFORCED

$$N_c = \left(\frac{1.86 \times 10^6}{S_t - 54000} \right)^{34}$$

$$S_t = 0.7(S_3 + S_4) + (S_5 + S_6)$$

REINFORCED

$$N_c = \left(\frac{5.18 \times 10^6}{S_t - 41800} \right)^{29}$$

$$S_t = 0.7(S_3 + S_4) + (S_5 + S_6)$$

TOROIDAL

$$N_c = \left(\frac{2.30 \times 10^6}{S_t - 41800} \right)^{25}$$

$$S_t = 3S_3 + S_5 + S_6$$

See slide #2 for "St" values

Final_ EJMA.ppt

EJMA vs. NASTRAN Calculations
Used to check the Finite Element simulation

	EJMA -Stress		NASTRAN -Stress		Shear rate	Torque	
	psi		psi		lbs/in	in-lbs	
Thickness	Pressure	Axial	Pressure	Axial			
.020 in	15,200.0	25,600.0	15,600	23,300.0	71,120.0	98,211.0	
					2800#/mm		
.025 in	9,736.0	31,990.6	9,640.0	28,800.0	128,200.0	122,800.0	
					5040#/mm		
.030 in	6,762.0	38,386.0	6,970.0	34,400.0	204,200.0	147,400.0	
			8,190.0		8,040#/mm		
	Note:	w= 1.095 for all calculations					
		q=1.0 inches	Torsional delta = .00315in = .8e-4m				
		1.0 mm= .0394 in					

Results From Pressure and Axial Loads only

EJMA Equations						
Thickness inch	S3 psi	S4 psi	S5 psi	S6 psi	St psi	Spring Rate lbs/in
0.02	269.0	15,211.0	137.0	25,594.2	36,567.0	1,136.5
0.025	322.2	9,737.0	213.4	31,991.0	39,245.0	2,219.6
0.03	269	6,762.4	307.2	38,386.3	43,615.2	3,835.2
All equations are listed in the EJMA spread sheets						
"St" Is Total stress used for Fatigue Life (Nc)						

Equations are from Section 4.13 of the EJMA manual

Slides #3 and #4 present calculation for , t = .02, w = 1.095, q = 1.0 inches

Slides #5 and #6 present calculation for , t = .025, w = 1.095, q = 1.0 inches

Slides #7 and #8 present calculation for , t = .03, w = 1.095, q = 1.0 inches

Slides #9 to #11 present data for various coefficients which are used in the above calculations.

EJMA Calculations for t=.025 , w=1.095, q= 1.0 inches

2					
3					
4					
5	Db	38	in	Inside diameter	
6					
7	$D_m = D_b + w + nt$	39.12	in	Mean diameter	
8					
9	$tp = t(D_b/D_m)^{-2}$	0.02464	in		
10	tp^2	0.00061			
11	C_p	0.68		from curves, Figure 4.16 EJMA	
12					
13	n	1		material plies of thickness "t"	
14	t	0.025	in		
15	w	1.095	in		
16	w^3	1.31293			
17					
18	q	1	in		
19	P	14.5	psi		
20					
21	$S_3 = Pw/2ntp$			Meridional Membrane due to pressure	
22				Eq. 4-30	
23	S_3	322.20	psi		
24					
25	$P/2$	7.25			
26					
27	$(w/tp)^2$	1974.98			
28					
29	$S_4 = P/2n(w/tp)^2 C_p$			Meridional Bending due to pressure	
30				Eq.4-31	
31	S_4	9736.67	psi		
32					
33	E_b	2.9E+07	psi	Elastic modulus	
34					
35	$e = X/N$	0.0525	in	Per convolution	
36	X	0.315	in		
37	N	6		Number of convolutions	
38	C_f	1.65		from curve, Figure 4.17 EJMA	
39					
40	$S_5 = E_b(tp)^2(e)/2(w)^3 * C_f$			Meridional membrane due to deflection	
41				Eq. 4-32	
42	S_5	213.34	psi		
43					

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$$S_6 = 5(Eb)(tp)e/3(w^2)C_d$$

Meridional Bending due to deflection
Eq.4-33

S₆ 31990.62 psi

C_d 1.63 from curve, Figure 4-18

Spring Rate

$$f_{iu} = 1.7 ((DmEb(tp^3)n)/(w^3)C_f)$$

Bellows Theoretical Axial Spring Rate
Eq.4-37

tp³ 1.5E-05
DmEb 1.1E+09
DmEb*(tp'
w³C_f 2.16634

f_{iu} 13317.3 lbs/in

Note: Per convolution

K_{total} 2219.55 lbs/in

For N=6 (total convolutions)
in series

13317.3	6658.66	3329.33	2219.55
13317.3			
13317.3	6658.66		
13317.3			
13317.3	6658.66		
13317.3			

Required Parameters for all Curve Constants

1.82rm/(Dmtp) ⁻²	0.463
rm	0.25 in
2rm/w	0.457

Fatigue Life Calculations

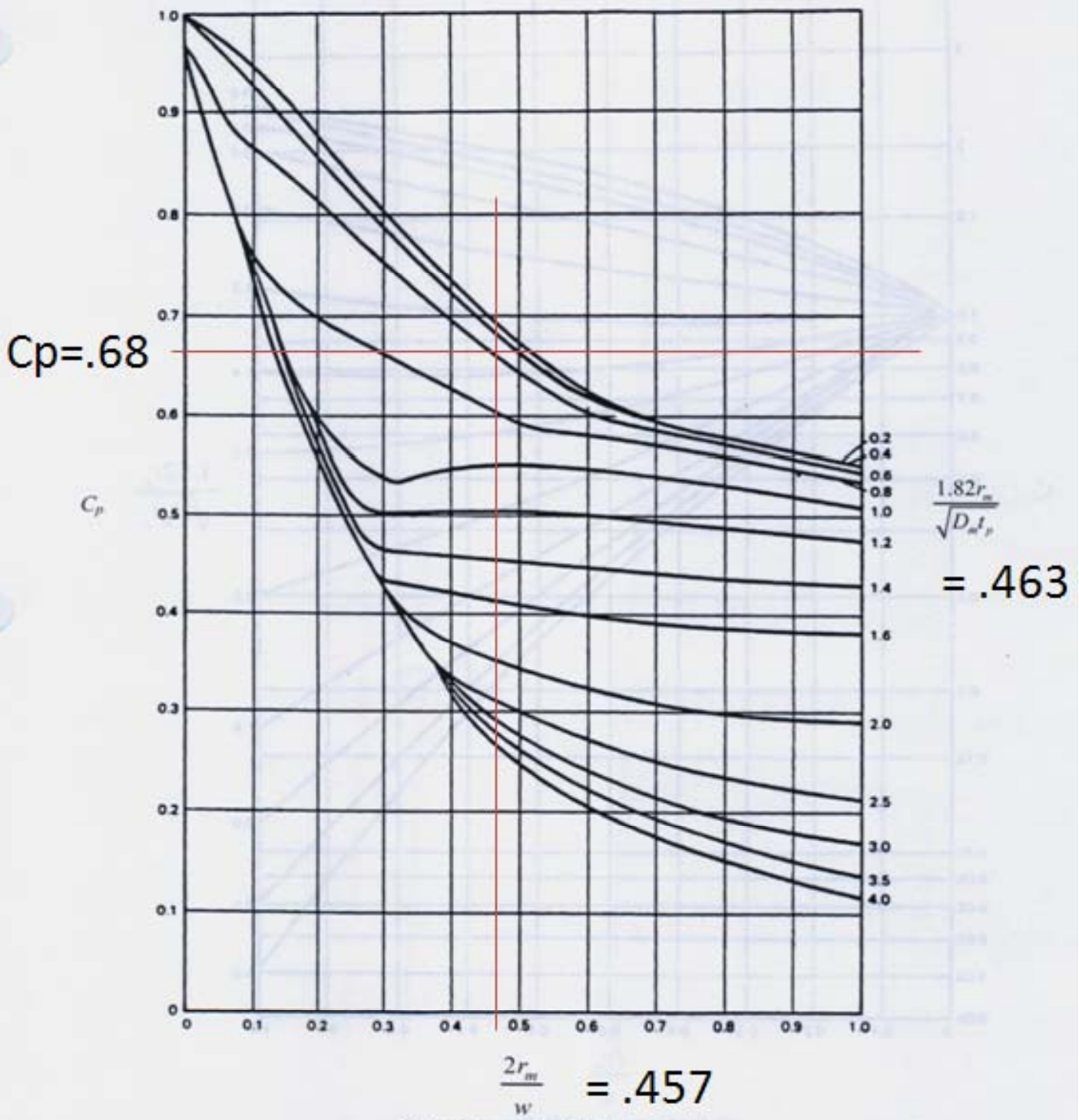
$$S_f = 0.7 (S_3 + S_4) + (S_5 + S_6)$$

See Figure 4-20

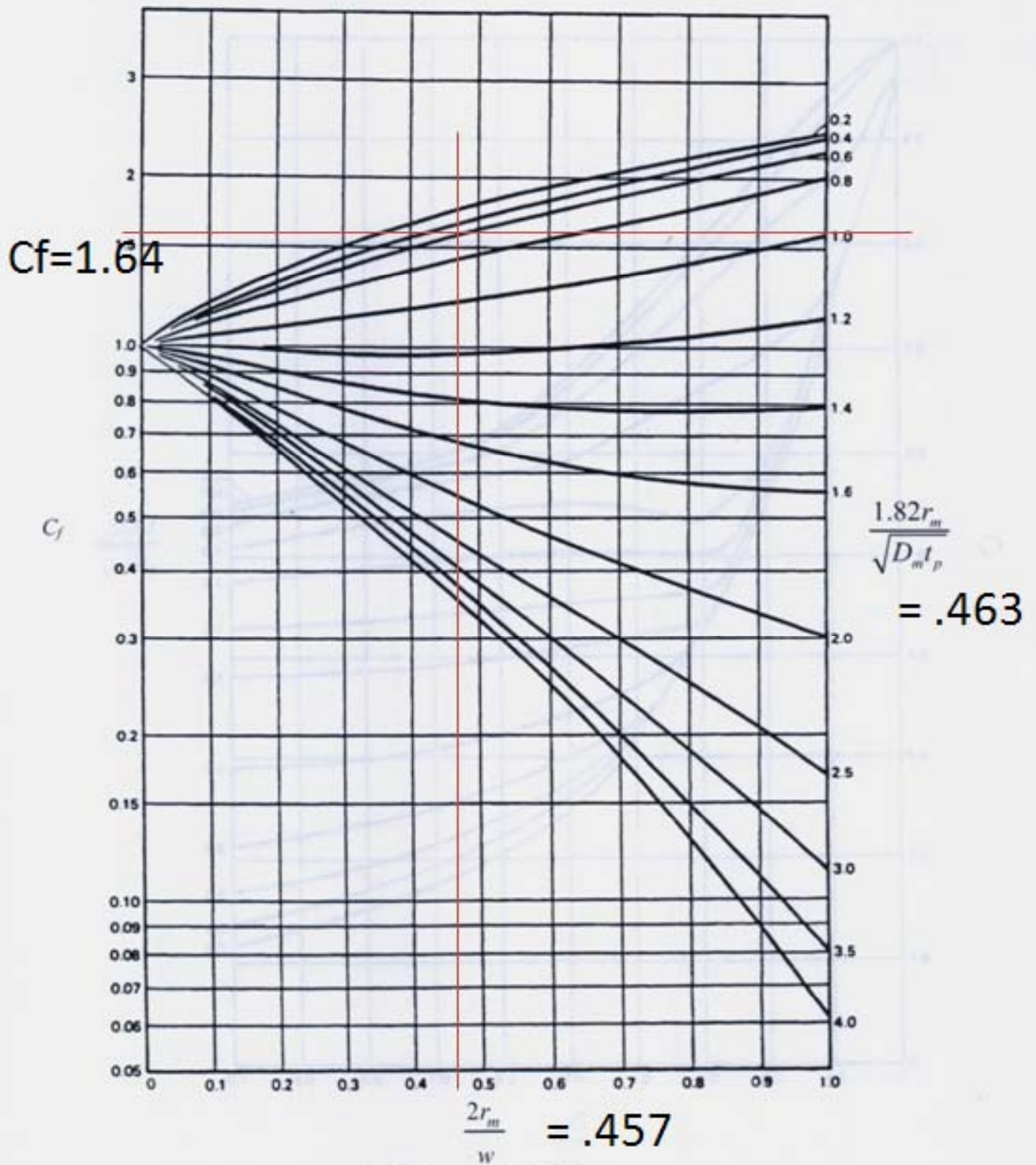
S_f 39245.2 psi

EJMA Calculations for t=.03 , w=1.095, q= 1.0 inches					
2					
3					
4					
5	Db	38	in	Inside diameter	
6					
7	Dm= Db+w+nt	39.125	in	Mean diameter	
8					
9	tp=(Db/Dm)^-2	0.02957	in		
10	tp^2	0.00087			
11	Cp	0.68		from curves, Figure 4.16 EJMA	
12					
13	n	1		material plies of thickness "t"	
14	t	0.03	in		
15	w	1.095	in		
16	w^3	1.31293			
17					
18	q	1	in		
19	P	14.5	psi		
20					
21	$S_3 = Pw/2ntp$			Meridional Membrane due to pressure	
22				Eq. 4-30	
23	S_3	268.50	psi		
24					
25	P/2	7.25			
26					
27	(w/tp)^2	1371.69			
28					
29	$S_4 = P/2n(w/tp)^2Cp$			Meridional Bending due to pressure	
30				Eq.4-31	
31	S_4	6762.44	psi		
32					
33	Eb	2.9E+07	psi	Elastic modulus	
34					
35	e=X/N	0.0525	in	Per convolution	
36	X	0.315	in		
37	N	6		Number of convolutions	
38	Cf	1.65		from curve, Figure 4.17 EJMA	
39					
40	$S_5 = Eb(tp)^2(e)/2(w)^3 * Cf$			Meridional membrane due to deflection	
41				Eq. 4-32	
42	S_5	307.17	psi		
43					

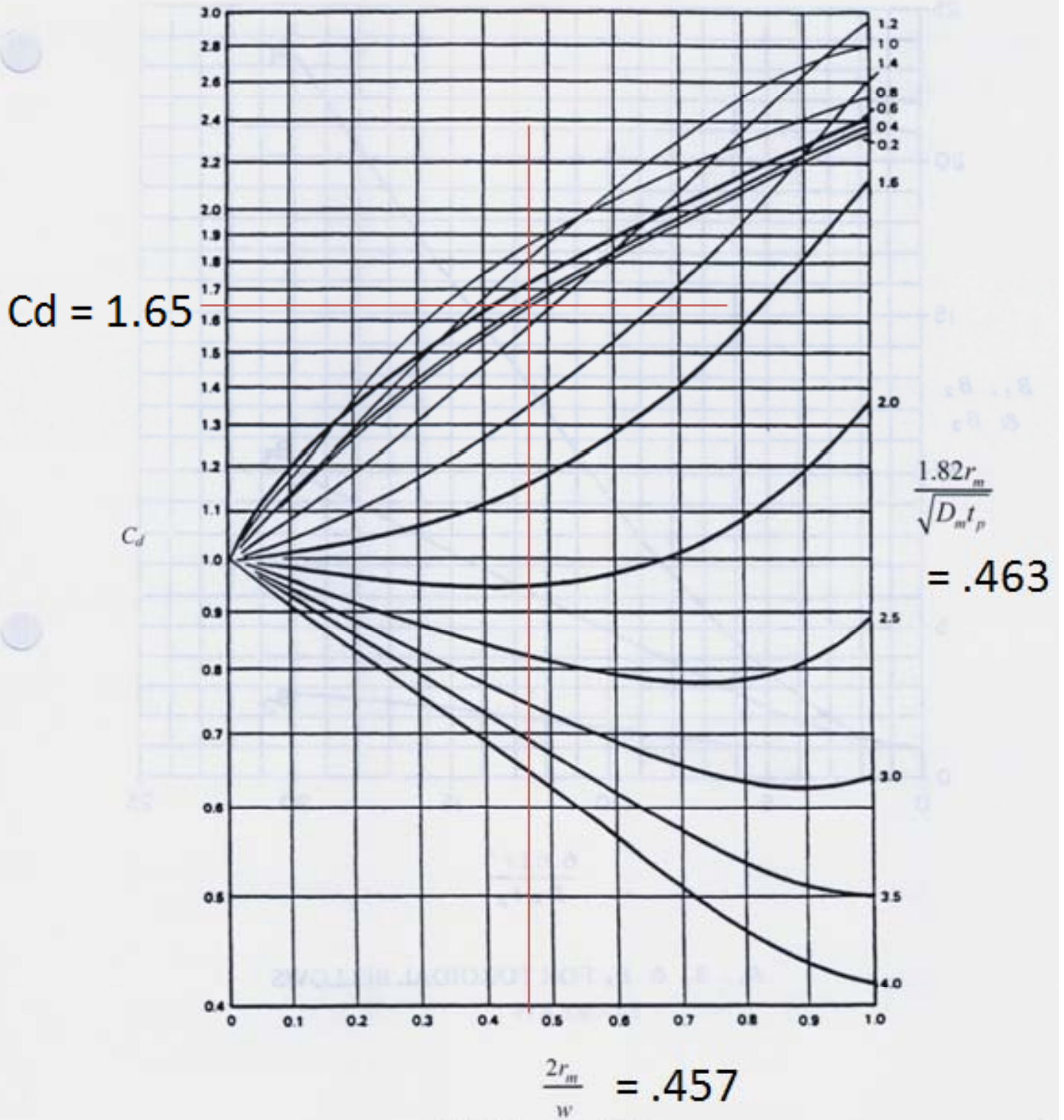
43						
44						
45						
46		$S_6=5(Eb)(tp)e/3(w^2)C_d$			Meridional Bending due to deflection	
47					Eq.4-33	
48		S_6	38386.29	psi		
49						
50		C_d	1.63		from curve, Figure 4-18	
51						
52		<u>Spring Rate</u>				
53						
54		$f_{iu}=1.7 ((DmEb(tp^3)n)/(w^3)C_f)$			Bellows Theoretical Axial Spring Rate	
55					Eq.4-37	
56		tp^3	2.6E-05			
57		$DmEb$	1.1E+09			
58		$DmEb*(tp^3)$	29323.1			
59		w^3C_f	2.16634			
60						
61		f_{iu}	23010.8	lbs/in	Note: Per convolution	
62						
63		K_{total}	3835.14	lbs/in	For N=6 (total convolutions)	
64					in series	
65		23010.8	11505.4	5752.71	3835.14	
66		23010.8				
67		23010.8	11505.4			
68		23010.8				
69		23010.8	11505.4			
70		23010.8				
71						
72						
73		<u>Required Parameters for all Curve Constants</u>				
74						
75		$1.82rm/(Dmtp)^2$		0.423		
76		rm	0.25	in		
77						
78		$2rm/w$		0.457		
79						
80		<u>Fatigue Life Calculations</u>				
81						
82		$S_f = 0.7 (S_3 + S_4) + (S_5 + S_6)$			See Figure 4-20	
83						
84		S_f	43615.2	psi		
85						



C_p for Convoluted Bellows
 FIGURE 4.16



C_f for Convolute Bellows
FIGURE 4.17



C_d for Convoluted Bellows

FIGURE 4.18

EJMA Fatigue Life estimate for combined Axial and Pressure loads only

These curves are intended to predict average fatigue life at temperatures below 800°F for austenitic stainless steel bellows which have not been heat treated and have not more than 5 plies. They are considered valid primarily in the range of 10^3 to 10^6 cycles, due to the limited data available for the very low and very high cyclic ranges. The equations are of the form provided in Design of Pressure Vessels for Low Fatigue by B.F. Langer, ASME paper 61-WA-18. The constants were modified to reflect the experience of EJMA members for bellows fatigue life.

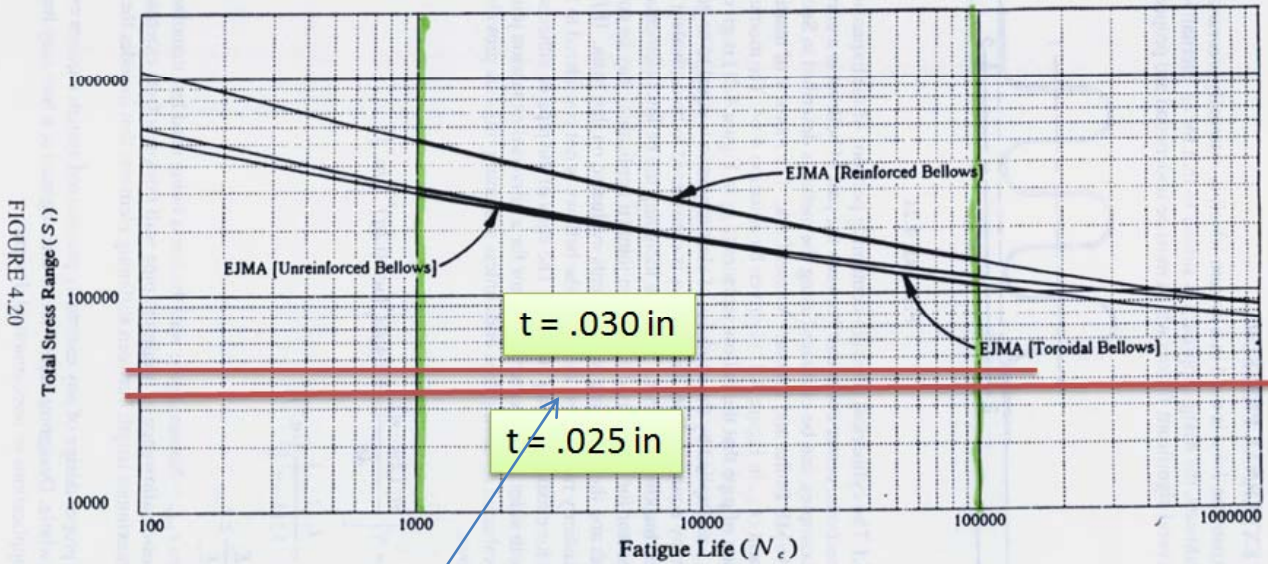


FIGURE 4.20

UNREINFORCED

$$N_c = \left(\frac{1.86 \times 10^6}{S_t - 54000} \right)^{34}$$

$$S_t = 0.7(S_3 + S_4) + (S_5 + S_6)$$

REINFORCED

$$N_c = \left(\frac{5.18 \times 10^6}{S_t - 41800} \right)^{29}$$

$$S_t = 0.7(S_3 + S_4) + (S_5 + S_6)$$

TOROIDAL

$$N_c = \left(\frac{2.30 \times 10^6}{S_t - 41800} \right)^{25}$$

$$S_t = 3S_3 + S_5 + S_6$$

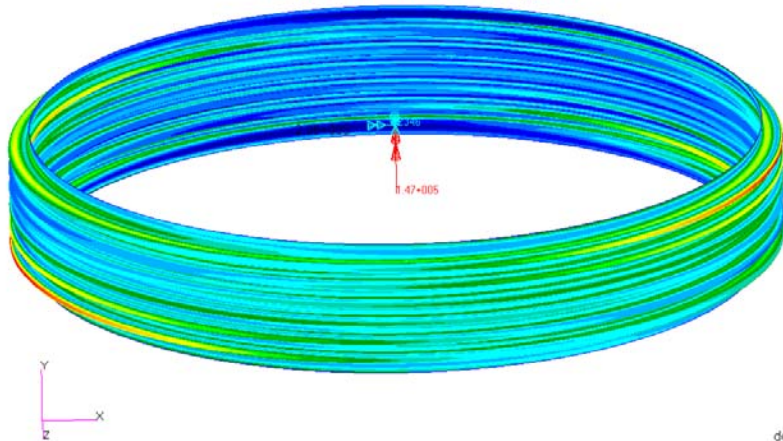
See slide #2 for "St" values

Seismic data included
 No Axial deformation
 Static Calculations

P. Rogoff
 1/25/2011

MSC FEA 2010.1.2.64-Bit 25-Jan-11 09:20:03
 Fringe: SeizShAll, A44 Static Subcase, Stress Tensor, von Mises, At Z2

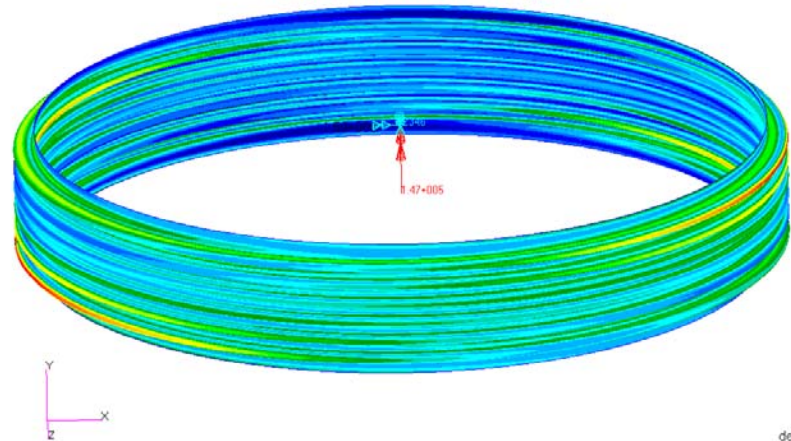
COMPLETE FEM MODEL with combined Seismic loads
 Seismic Based on the CS total mass (Shear = 1,400.lbs at .5% damping)
 $t_n = .03$ in, $w = 1.095$ in, $q = 1.0$ in.
 STATIC PRESSURE 14.5 psi
 Torque = 147,400. in-lbs (.00315 in torsion)
 Note: No Axial deformation applied



default_Fringe :
 Max 1.46+004 @Nd 49288
 Min 2.96+003 @Nd 14557

MSC FEA 2010.1.2.64-Bit 25-Jan-11 09:14:22
 Fringe: SeizShAll, A44 Static Subcase, Stress Tensor, Max Shear, At Z2

COMPLETE FEM MODEL with combined Seismic loads
 Seismic Based on the CS total mass (Shear = 1,400.lbs at .5% damping)
 $t_n = .03$ in, $w = 1.095$ in, $q = 1.0$ in.
 STATIC PRESSURE 14.5 psi
 Torque = 147,400. in-lbs (.00315 in torsion)
 Note: No Axial deformation applied



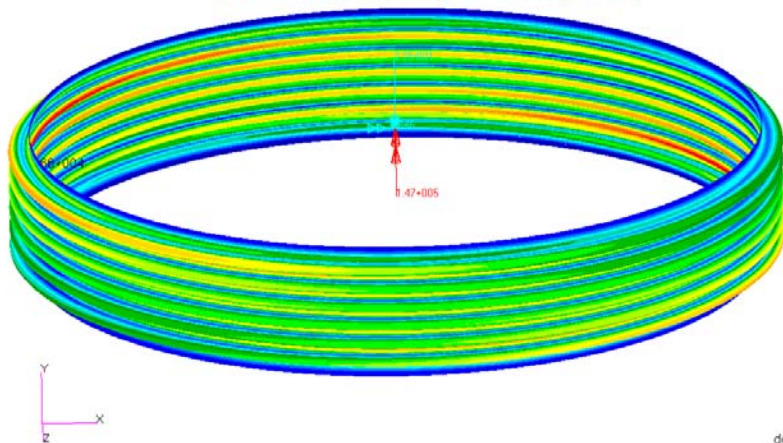
default_Fringe :
 Max 8.34+003 @Nd 49288
 Min 1.59+003 @Nd 14068

Seismic Data Including Axial deformation due to the Cs thermal expansion

MSC FEA 2010.1.2.64-Bit 25-Jan-11 09:36:33

Fringe: SeizShAll, A44 Static Subcase, Stress Tensor, , von Mises, At Z2

COMPLETE FEM MODEL with combined Seismic loads
 Seismic Based on the CS total mass (Shear = 1,400.lbs at .5% damping)
 $t_n = .03$ in, $w = 1.095$ in, $q = 1.0$ in.
 STATIC PRESSURE 14.5 psi
 Torque = 147,400. in-lbs (.00315 in torsion)
 Delta Y = -.315 in = 8 mm (CS thermal expansion)

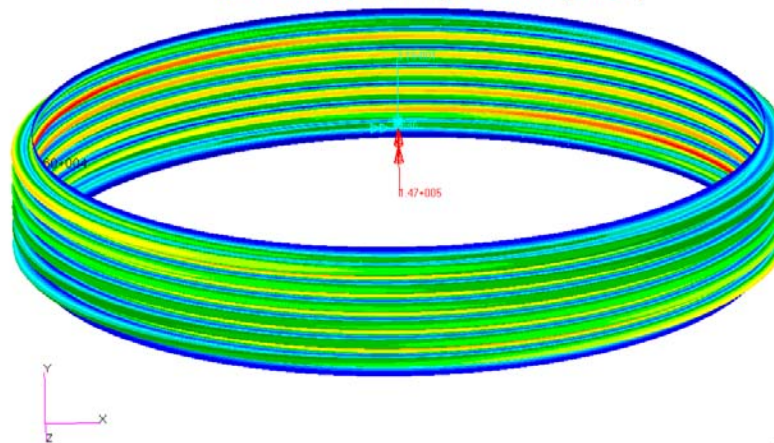


default_Fringe :
 Max 4.66+004 @Nd 49387
 Min 2.21+003 @Nd 12436

MSC FEA 2010.1.2.64-Bit 25-Jan-11 09:39:29

Fringe: SeizShAll, A44 Static Subcase, Stress Tensor, , Max Shear, At Z2

COMPLETE FEM MODEL with combined Seismic loads
 Seismic Based on the CS total mass (Shear = 1,400.lbs at .5% damping)
 $t_n = .03$ in, $w = 1.095$ in, $q = 1.0$ in.
 STATIC PRESSURE 14.5 psi
 Torque = 147,400. in-lbs (.00315 in torsion)
 Delta Y = -.315 in = 8 mm (CS thermal expansion)



default_Fringe :
 Max 2.60+004 @Nd 49387
 Min 1.28+003 @Nd 12436

The next slide shows Seismic results which were obtained from the the complete NSTX update structure simulation with ANSYS 12.1. This work was completed by P. Titus and it is also available under a different calculation report. (See, NSTXU-CALC-10-01-02)

These calculations were completed using the standard seismic scenario for the TFTR facilities with .05% damping.

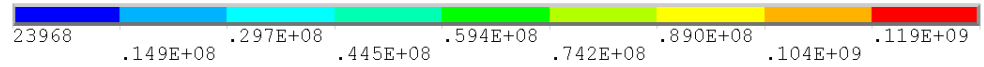
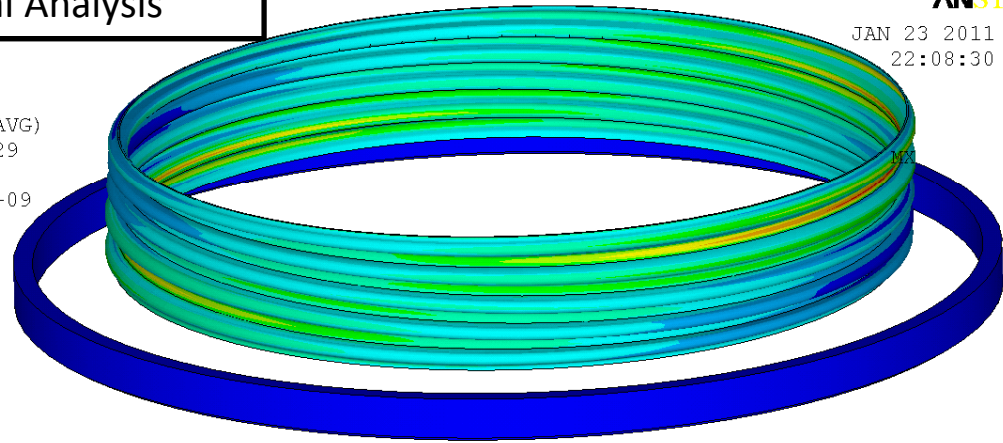
Both calculations show maximum stress results well within the material Yield allowable for the Inconel bellows.

Bottom Bellows Static .5g Lateral Analysis

STEP=2
SUB =1
TIME=2
SEQV (AVG)
DMX =.002329
SMN =23968
SMX =.134E+09

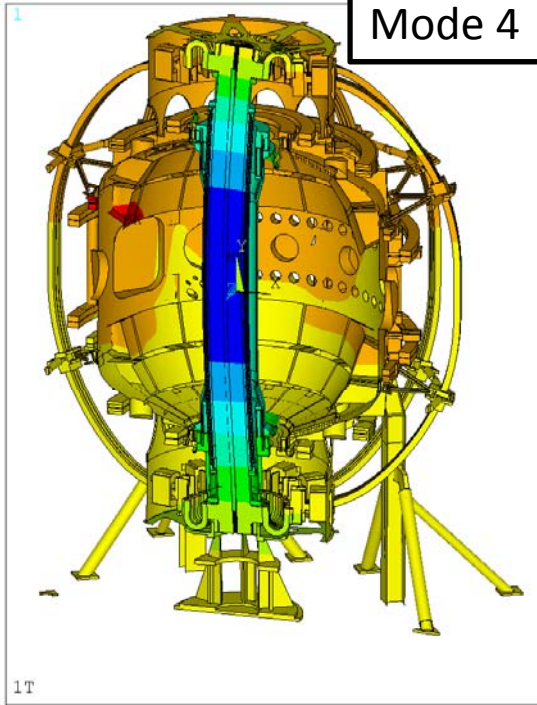
ANSYS

JAN 23 2011
22:08:30



nstxU Deadweight Plus .5g Lateral(Seismic?) Load

Mode 4



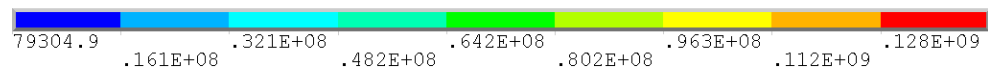
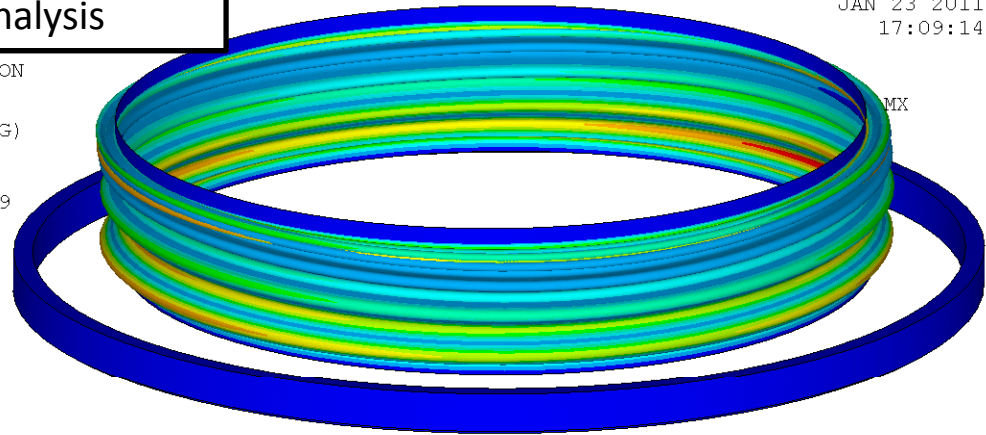
1T

Bottom Bellows Modal Analysis

NODAL SOLUTION
STEP=9999
SEQV (AVG)
DMX =.00387
SMN =79304.9
SMX =.144E+09

ANSYS

JAN 23 2011
17:09:14



1T

LOWER BELLOWS MAGNETIC DISRUPTION CHECK

These calculations were performed using a sequence of ANSYS prep7 runs:

* Using “BellDisrupt02.txt” “elect2.db” was created and saved with data for 40 time steps for restart in the next phase of the process. This data is then used in the “Static01.txt” to create the “struct2PR.db” for further static processing.

Note: All the necessary data is located at:
asalehz-64pc,G:\ANSYS_PR\BellowsEM1

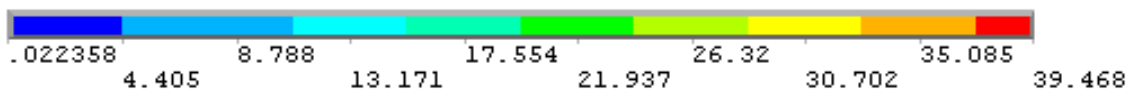
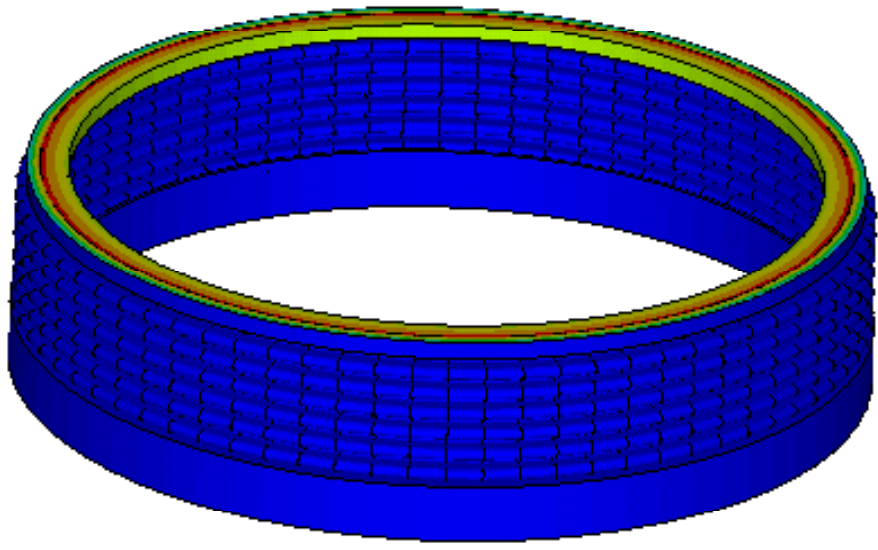
1
NODAL SOLUTION

ANSYS

STEP=7
SUB =1
TIME=100.007
FMAGSUM (AVG)
SMN =.022358
SMX =39.468

FEB 16 2011
12:17:44

Step =7



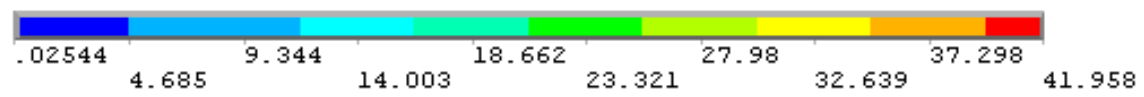
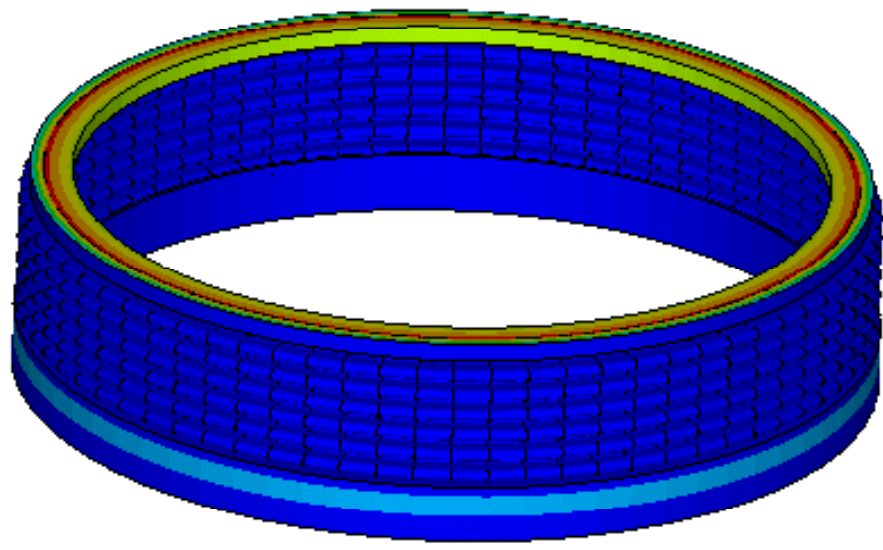
1
NODAL SOLUTION

ANSYS

STEP=8
SUB =1
TIME=100.008
FMAGSUM (AVG)
SMN =.02544
SMX =41.958

FEB 16 2011
12:18:10

Step =8



1

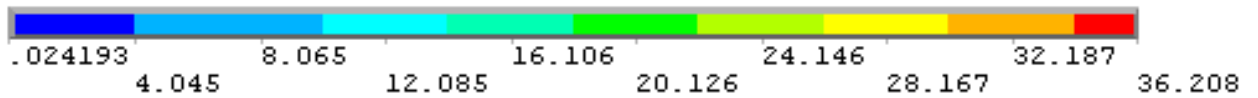
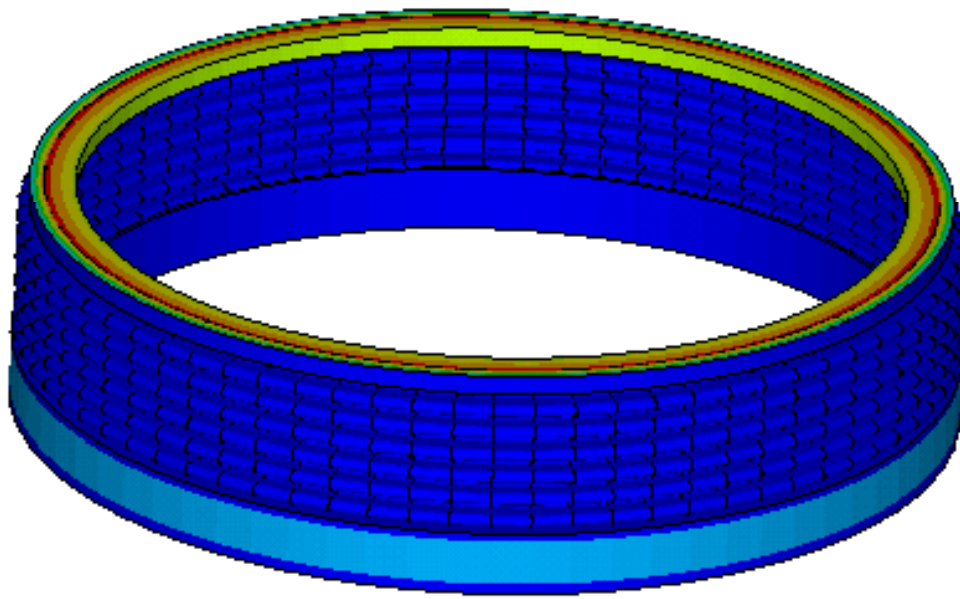
NODAL SOLUTION

STEP=9
SUB =1
TIME=100.008
FMAGSUM (AVG)
SMN =.024193
SMX =36.208

ANSYS

FEB 16 2011
12:18:36

Step = 9



Displacements and VonMises stresses

From "struct2PR.db"
Input data "Static01.txt"

Due to the disruption magnetic forces at the lower bellows. General input data provided by A. Brooks and P. Titus in ANSYS Prep7 format.

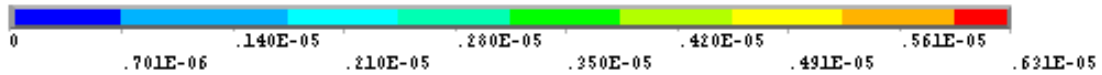
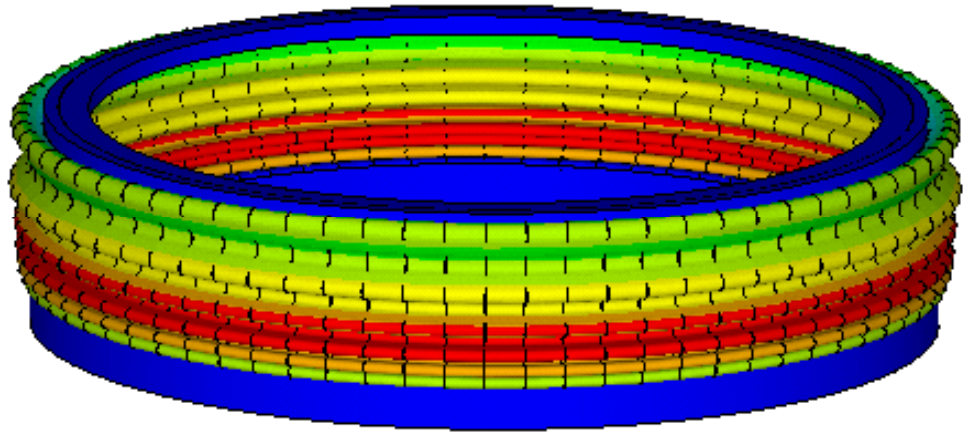
Maximum displacements and stresses are calculated at iteration "step = 8", i.e., stress = 3.37 MPa (about 500. psi), therefore, adding small increase to the Inconel bellows.

Steps #7 and #9 are shown in order to help verify the maximum load and reaction conditions.

Conclusion: Stresses due to the magnetic disruption at the lower bellows are insignificant.

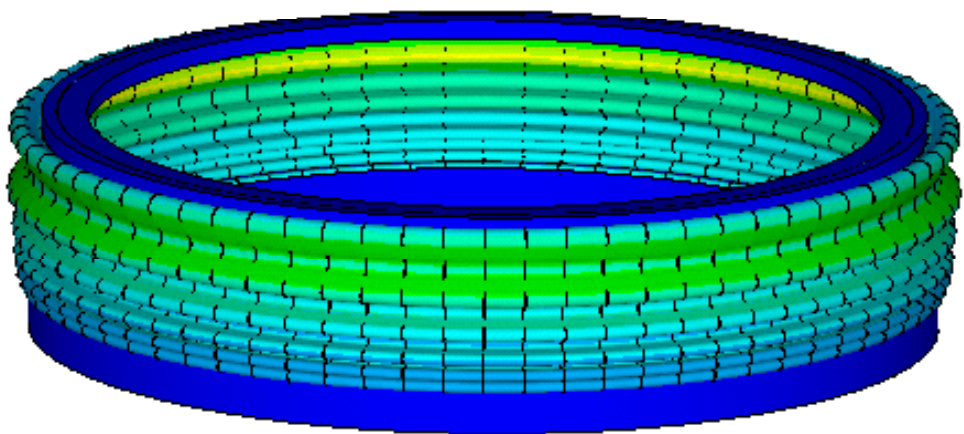
1
NODAL SOLUTION
STEP=7
SUB =1
TIME=7
USUM (AVG)
RSYS=0
DMX =.631E-05
SMX =.631E-05

step = 7

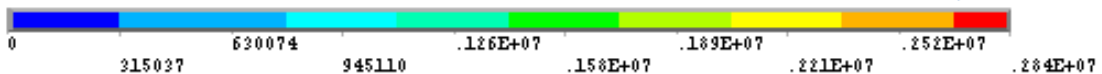


1
NODAL SOLUTION
STEP=7
SUB =1
TIME=7
SEQV (AVG)
DMX =.631E-05
SMX =.284E+07

step = 7



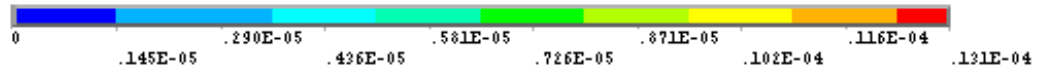
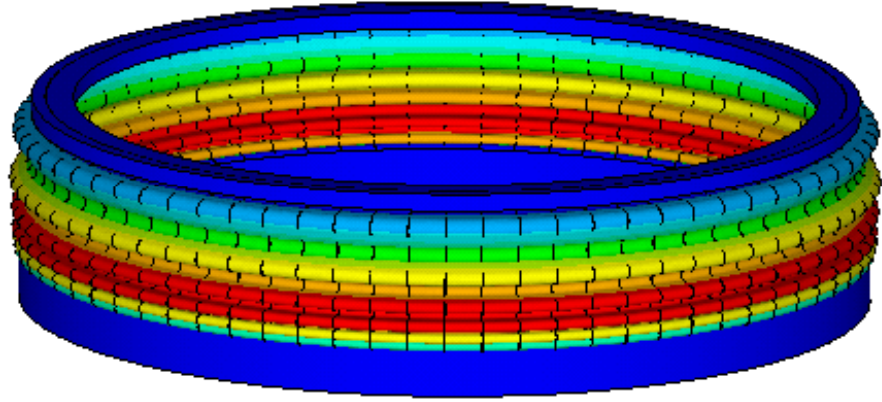
2.84 MPa



1
MODAL SOLUTION
STEP=8
SUB =1
TIME=8
USUM (AVG)
RSYS=0
DMX =.131E-04
SMX =.131E-04

ANSYS
FEB 16 2011
09:53:12

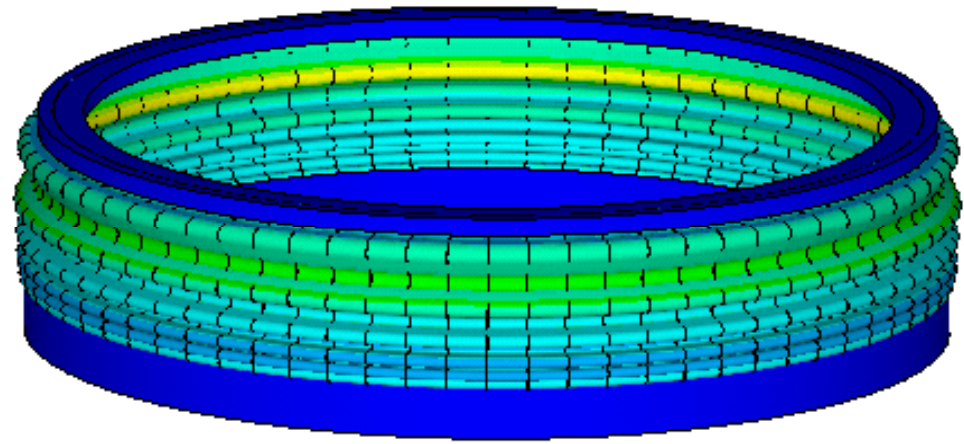
step = 8



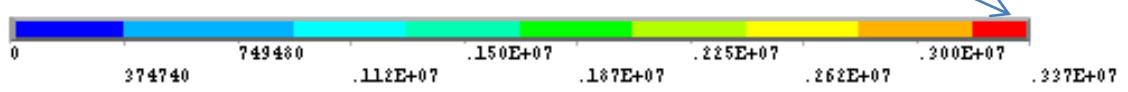
1
MODAL SOLUTION
STEP=8
SUB =1
TIME=8
SEQV (AVG)
DMX =.131E-04
SMX =.337E+07

ANSYS
FEB 16 2011
09:53:36

step = 8



Maximum for the total calculation 3.37 MPa



1

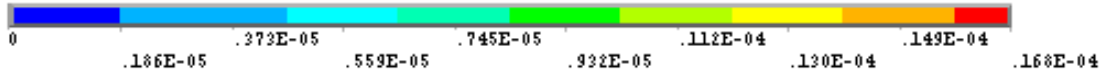
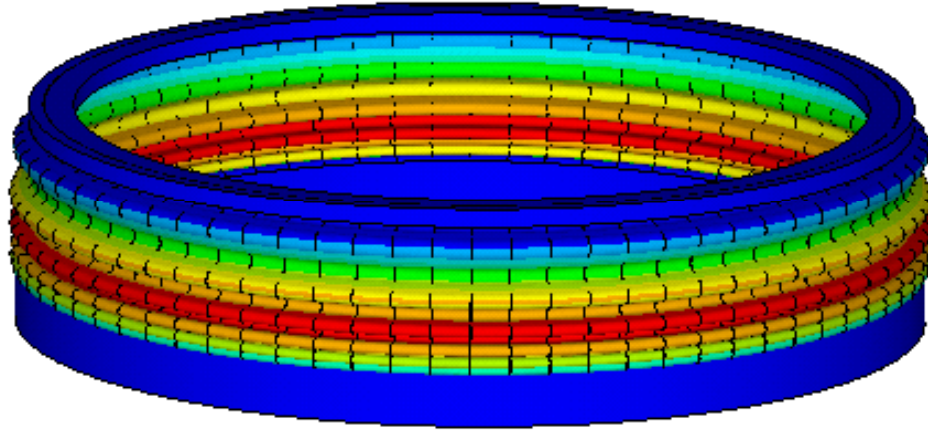
NODAL SOLUTION

STEP=9
SUB =1
TIME=9
USUM (AVG)
RSYS=0
DMX =.168E-04
SMX =.168E-04

ANSYS

FEB 16 2011
09:54:34

step = 9



1

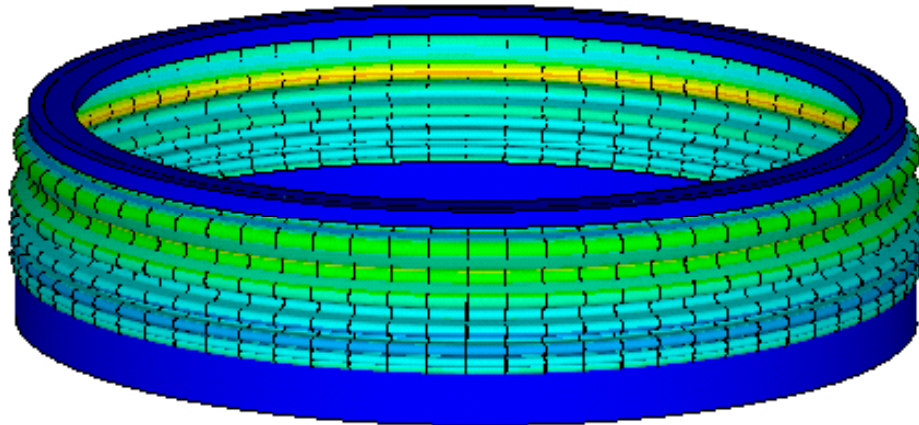
NODAL SOLUTION

STEP=9
SUB =1
TIME=9
SEQV (AVG)
DMX =.168E-04
SMX =.325E+07

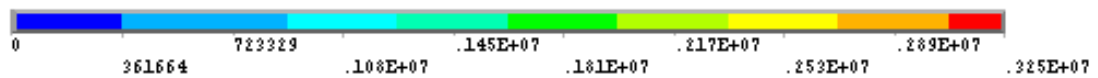
ANSYS

FEB 16 2011
09:54:53

step = 9



3.25 MPa



NSTX CSU BELLOWS FIRST 10 MODE SHAPES

- Total weight = 18.1 lbs
- Bellows in fixed mode.

		SUBCASE 1					
MODE NO.	EXTRACTION ORDER	EIGENVALUE	R E A L E I G E N V A L U E S		GENERALIZED MASS	GENERALIZED STIFFNESS	
			RADIANS	CYCLES			
1	1	8.994094E+05	9.483720E+02	1.509381E+02	1.000000E+00	8.994094E+05	
2	2	2.629203E+06	1.621482E+03	2.580668E+02	1.000000E+00	2.629203E+06	
3	3	2.629204E+06	1.621482E+03	2.580669E+02	1.000000E+00	2.629204E+06	
4	4	2.969075E+06	1.723100E+03	2.742400E+02	1.000000E+00	2.969075E+06	
5	5	2.969114E+06	1.723112E+03	2.742417E+02	1.000000E+00	2.969114E+06	
6	6	3.471941E+06	1.863315E+03	2.965557E+02	1.000000E+00	3.471941E+06	
7	7	3.471943E+06	1.863315E+03	2.965558E+02	1.000000E+00	3.471943E+06	
8	8	3.523462E+06	1.877089E+03	2.987479E+02	1.000000E+00	3.523462E+06	
9	9	4.063636E+06	2.015846E+03	3.208319E+02	1.000000E+00	4.063636E+06	
10	10	4.063637E+06	2.015846E+03	3.208319E+02	1.000000E+00	4.063637E+06	

1 MSC.NASTRAN JOB CREATED ON 17-NOV-10 AT 11:54:20 JANUARY 24, 2011 MSC.NASTRAN 6/19/08 PAGE

P.Rogoff
1/24/2011

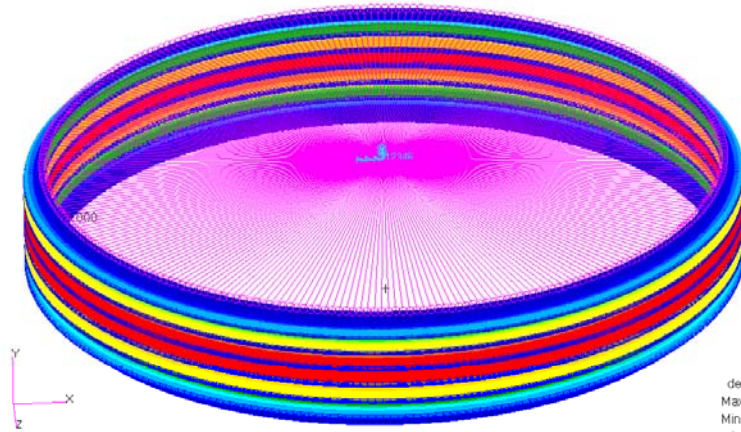
MSC FEA 2010.1 2 64-Bit 24-Jan-11 16:05:36

Fringe: SeizShear, A43, Mode 1 : Freq. = 150.94, Eigenvectors, Translational, Magnitude, (NON-LAYERED)

Deform: SeizShear, A43, Mode 1 : Freq. = 150.94, Eigenvectors, Translational.

Mode Shapes

$t_n = .03 \text{ in.}, w = 1.095 \text{ in.}, q = 1.0 \text{ in.}$



default_Fringe :
 Max 1.00+000 @Nd 24730
 Min 0. @Nd 8
 default_Deformation :
 Max 1.00+000 @Nd 24730



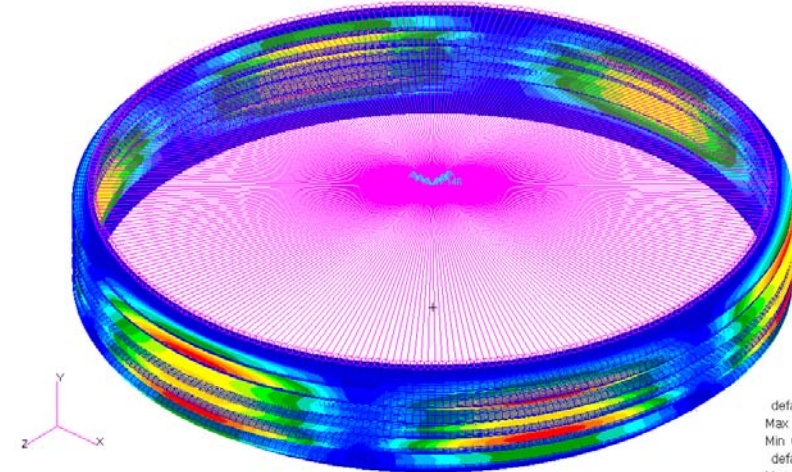
MSC FEA 2010.1 2 64-Bit 24-Jan-11 16:07:51

Fringe: SeizShear, A43, Mode 2 : Freq. = 258.07, Eigenvectors, Translational, Magnitude, (NON-LAYERED)

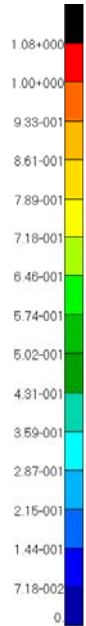
Deform: SeizShear, A43, Mode 2 : Freq. = 258.07, Eigenvectors, Translational.

Mode Shapes

$t_n = .03 \text{ in.}, w = 1.095 \text{ in.}, q = 1.0 \text{ in.}$



default_Fringe :
 Max 1.08+000 @Nd 12636
 Min 0. @Nd 8
 default_Deformation :
 Max 1.08+000 @Nd 12636



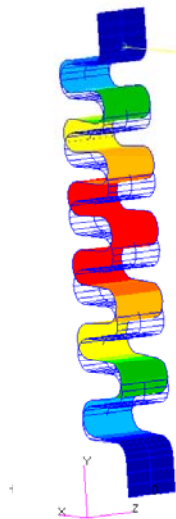
MSC FEA 2010.1 2 64-Bit 24-Jan-11 15:54:37

Fringe: SeizShear, A43, Mode 1 : Freq. = 150.94, Eigenvectors, Translational, Magnitude, (NON-LAYERED)

Deform: SeizShear, A43, Mode 1 : Freq. = 150.94, Eigenvectors, Translational.

Mode Shapes

$t_n = .03 \text{ in.}, w = 1.095 \text{ in.}, q = 1.0 \text{ in.}$



default_Fringe :
 Max 1.00+000 @Nd 24730
 Min 0. @Nd 8
 default_Deformation :
 Max 1.00+000 @Nd 24730



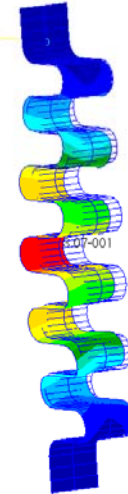
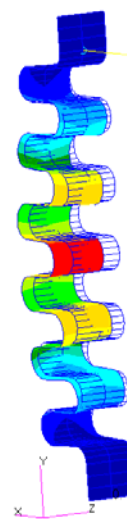
MSC FEA 2010.1 2 64-Bit 24-Jan-11 15:58:35

Fringe: SeizShear, A43, Mode 2 : Freq. = 258.07, Eigenvectors, Translational, Magnitude, (NON-LAYERED)

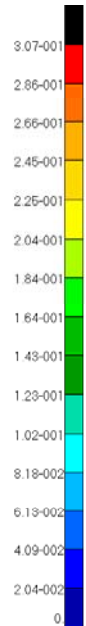
Deform: SeizShear, A43, Mode 2 : Freq. = 258.07, Eigenvectors, Translational.

Mode Shapes

$t_n = .03 \text{ in.}, w = 1.095 \text{ in.}, q = 1.0 \text{ in.}$



default_Fringe :
 Max 3.07+001 @Nd 49343
 Min 0. @Nd 8
 default_Deformation :
 Max 3.07+001 @Nd 49343



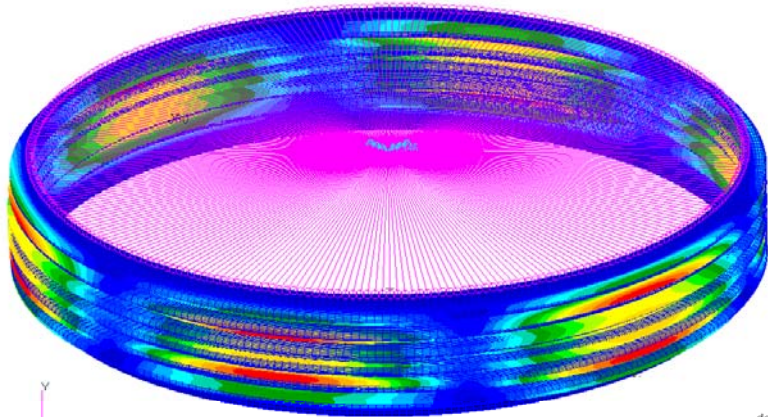
MSC FEA 2010.1 2 64-Bit 24-Jan-11 16:13:41

Fringe: SeizShear, A43, Mode 3 : Freq. = 258.07, Eigenvectors, Translational, Magnitude, (NON-LAYERED)

Deform: SeizShear, A43, Mode 3 : Freq. = 258.07, Eigenvectors, Translational.

Mode Shapes

tn = .03 in, w = 1.095 in, q = 1.0 in.



default_Fringe :
 Max 1.08e+000 @Nd 24861
 Min 0. @Nd 8
 default_Deformation :
 Max 1.08e+000 @Nd 24861

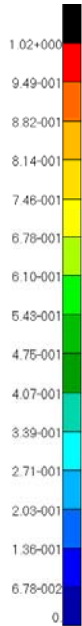
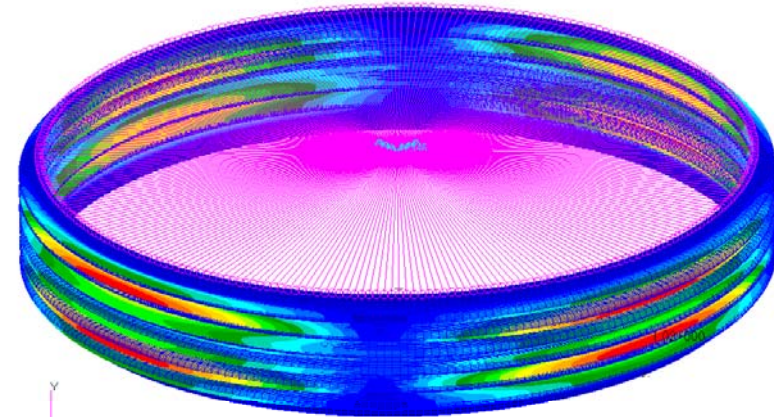
MSC FEA 2010.1 2 64-Bit 24-Jan-11 16:16:54

Fringe: SeizShear, A43, Mode 4 : Freq. = 274.24, Eigenvectors, Translational, Magnitude, (NON-LAYERED)

Deform: SeizShear, A43, Mode 4 : Freq. = 274.24, Eigenvectors, Translational.

Mode Shapes

tn = .03 in, w = 1.095 in, q = 1.0 in.



default_Fringe :
 Max 1.02e+000 @Nd 142
 Min 0. @Nd 8
 default_Deformation :
 Max 1.02e+000 @Nd 142

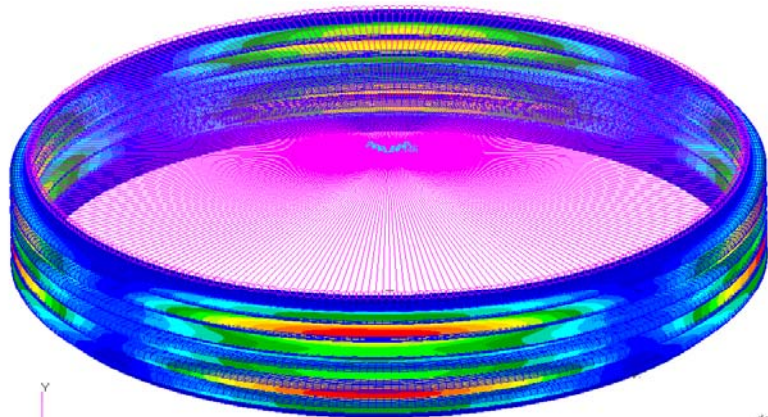
MSC FEA 2010.1 2 64-Bit 24-Jan-11 16:18:04

Fringe: SeizShear, A43, Mode 5 : Freq. = 274.24, Eigenvectors, Translational, Magnitude, (NON-LAYERED)

Deform: SeizShear, A43, Mode 5 : Freq. = 274.24, Eigenvectors, Translational.

Mode Shapes

tn = .03 in, w = 1.095 in, q = 1.0 in.



default_Fringe :
 Max 1.02e+000 @Nd 18830
 Min 0. @Nd 8
 default_Deformation :
 Max 1.02e+000 @Nd 18830

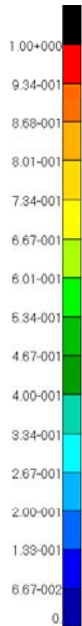
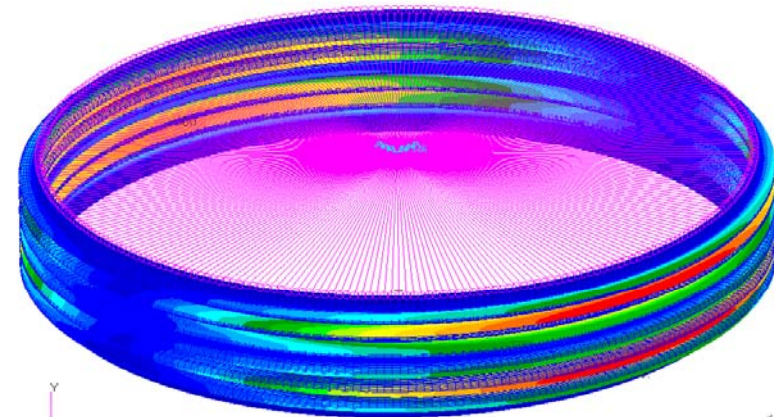
MSC FEA 2010.1 2 64-Bit 24-Jan-11 16:18:59

Fringe: SeizShear, A43, Mode 6 : Freq. = 296.56, Eigenvectors, Translational, Magnitude, (NON-LAYERED)

Deform: SeizShear, A43, Mode 6 : Freq. = 296.56, Eigenvectors, Translational.

Mode Shapes

tn = .03 in, w = 1.095 in, q = 1.0 in.

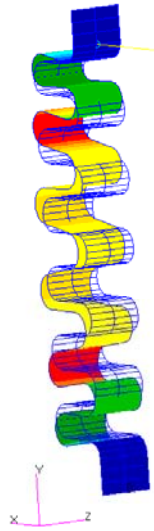


default_Fringe :
 Max 1.00e+000 @Nd 24860
 Min 0. @Nd 8
 default_Deformation :
 Max 1.00e+000 @Nd 24860

MSC FEA 2010.1 2 64-Bit 24-Jan-11 15:39:05

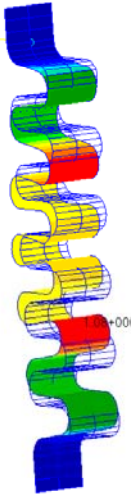
Fringe: SeizShear_A43.Mode 3 : Freq. = 258.07, Eigenvectors, Translational, Magnitude, (NON-LAYERED)

Deform: SeizShear_A43.Mode 3 : Freq. = 258.07, Eigenvectors, Translational.

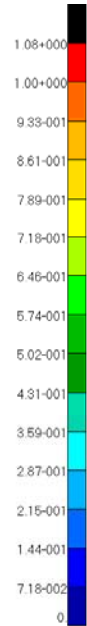


Mode Shapes

tn = .03 in, w = 1.095 in, q = 1.0 in.



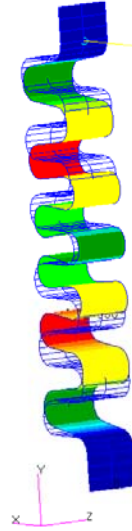
default_Fringe :
Max 1.08+000 @Nd 24861
Min 0. @Nd 8
default_Deformation :
Max 1.08+000 @Nd 24861



MSC FEA 2010.1 2 64-Bit 24-Jan-11 15:41:56

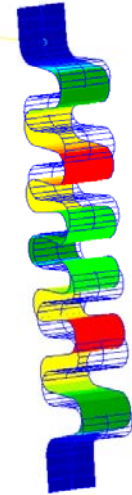
Fringe: SeizShear_A43.Mode 4 : Freq. = 274.24, Eigenvectors, Translational, Magnitude, (NON-LAYERED)

Deform: SeizShear_A43.Mode 4 : Freq. = 274.24, Eigenvectors, Translational.

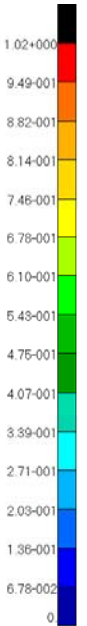


Mode Shapes

tn = .03 in, w = 1.095 in, q = 1.0 in.



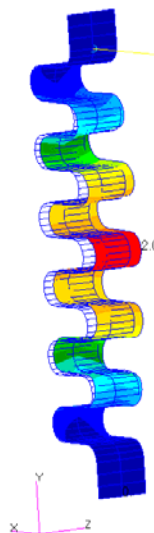
default_Fringe :
Max 1.02+000 @Nd 142
Min 0. @Nd 8
default_Deformation :
Max 1.02+000 @Nd 142



MSC FEA 2010.1 2 64-Bit 24-Jan-11 15:46:41

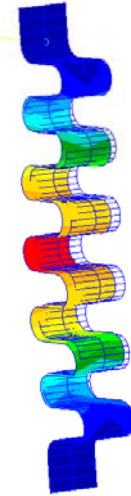
Fringe: SeizShear_A43.Mode 5 : Freq. = 274.24, Eigenvectors, Translational, Magnitude, (NON-LAYERED)

Deform: SeizShear_A43.Mode 5 : Freq. = 274.24, Eigenvectors, Translational.

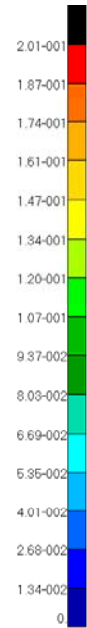


Mode Shapes

tn = .03 in, w = 1.095 in, q = 1.0 in.



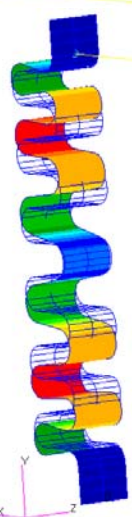
default_Fringe :
Max 2.01-001 @Nd 25219
Min 0. @Nd 8
default_Deformation :
Max 2.01-001 @Nd 25219



MSC FEA 2010.1 2 64-Bit 24-Jan-11 15:49:29

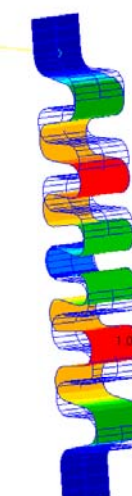
Fringe: SeizShear_A43.Mode 6 : Freq. = 296.56, Eigenvectors, Translational, Magnitude, (NON-LAYERED)

Deform: SeizShear_A43.Mode 6 : Freq. = 296.56, Eigenvectors, Translational.

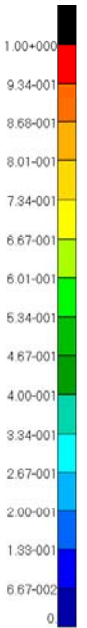


Mode Shapes

tn = .03 in, w = 1.095 in, q = 1.0 in.



default_Fringe :
Max 1.00+000 @Nd 24860
Min 0. @Nd 8
default_Deformation :
Max 1.00+000 @Nd 24860



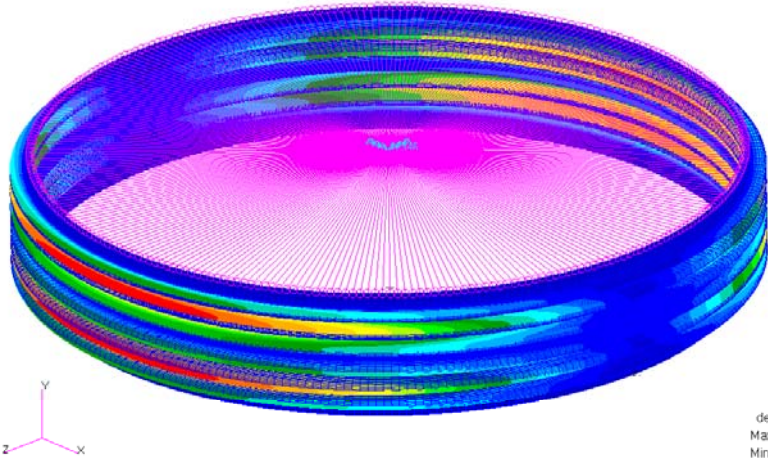
MSC FEA 2010.1 2 64-Bit 24-Jan-11 16:20:21

Fringe: SeizShear, A43, Mode 7 : Freq. = 296.56, Eigenvectors, Translational, Magnitude, (NON-LAYERED)

Deform: SeizShear, A43, Mode 7 : Freq. = 296.56, Eigenvectors, Translational.

Mode Shapes

tn = .03 in, w = 1.095 in, q= 1.0 in.



default_Fringe :
 Max 1.00+000 @Nd 12635
 Min 0. @Nd 8
 default_Deformation :
 Max 1.00+000 @Nd 12635

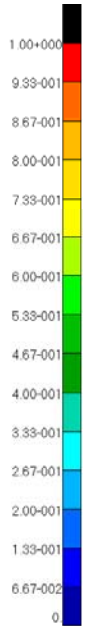
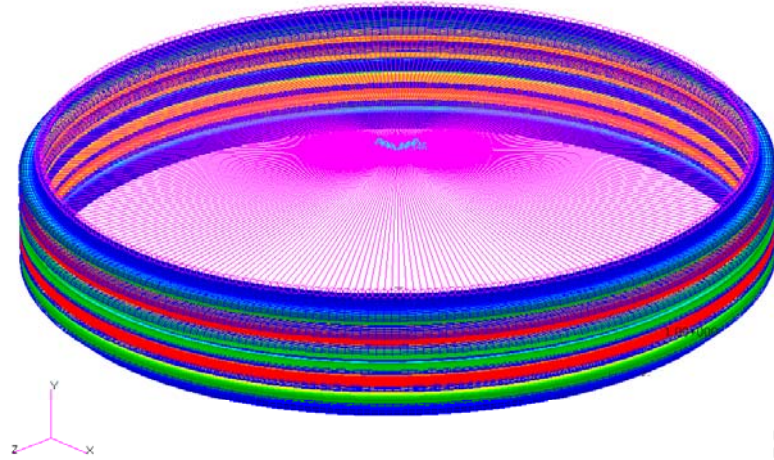
MSC FEA 2010.1 2 64-Bit 24-Jan-11 16:22:33

Fringe: SeizShear, A43, Mode 8 : Freq. = 298.75, Eigenvectors, Translational, Magnitude, (NON-LAYERED)

Deform: SeizShear, A43, Mode 8 : Freq. = 298.75, Eigenvectors, Translational.

Mode Shapes

tn = .03 in, w = 1.095 in, q= 1.0 in.



default_Fringe :
 Max 1.00+000 @Nd 736
 Min 0. @Nd 8
 default_Deformation :
 Max 1.00+000 @Nd 736

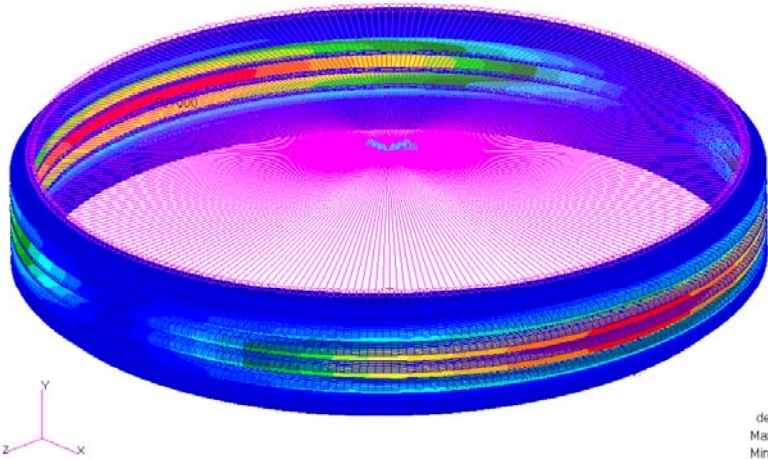
MSC FEA 2010.1 2 64-Bit 24-Jan-11 16:24:21

Fringe: SeizShear, A43, Mode 9 : Freq. = 320.83, Eigenvectors, Translational, Magnitude, (NON-LAYERED)

Deform: SeizShear, A43, Mode 9 : Freq. = 320.83, Eigenvectors, Translational.

Mode Shapes

tn = .03 in, w = 1.095 in, q= 1.0 in.



default_Fringe :
 Max 1.00+000 @Nd 24889
 Min 0. @Nd 8
 default_Deformation :
 Max 1.00+000 @Nd 24889

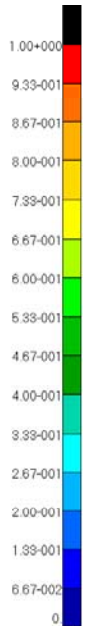
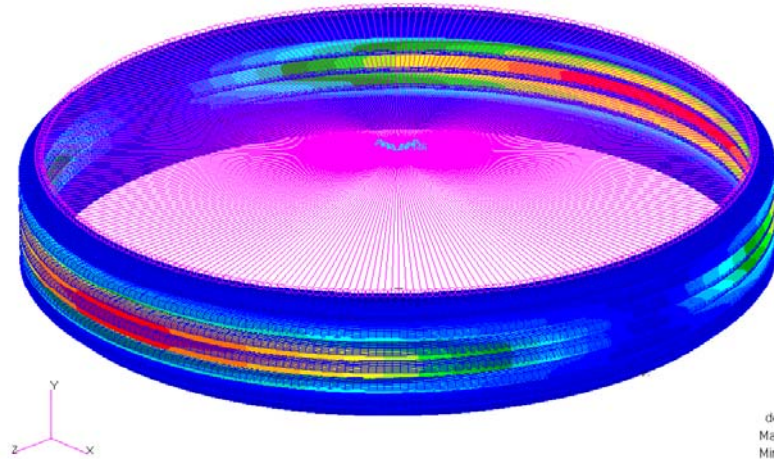
MSC FEA 2010.1 2 64-Bit 24-Jan-11 16:25:15

Fringe: SeizShear, A43, Mode 10 : Freq. = 320.83, Eigenvectors, Translational, Magnitude, (NON-LAYERED)

Deform: SeizShear, A43, Mode 10 : Freq. = 320.83, Eigenvectors, Translational.

Mode Shapes

tn = .03 in, w = 1.095 in, q= 1.0 in.

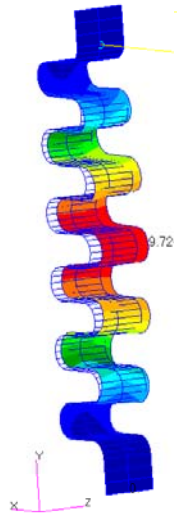


default_Fringe :
 Max 1.00+000 @Nd 12664
 Min 0. @Nd 8
 default_Deformation :
 Max 1.00+000 @Nd 12664

MSC FEA 2010.1.2 64-Bit 24-Jan-11 15:30:01

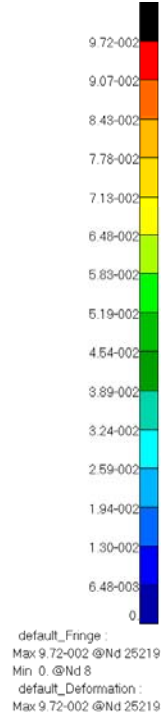
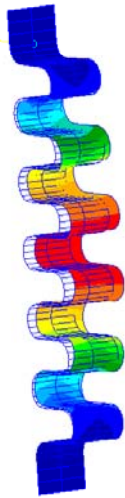
Fringe: SeizShear, A43, Mode 7 : Freq. = 296.56, Eigenvectors, Translational, Magnitude, (NON-LAYERED)

Deform: SeizShear, A43, Mode 7 : Freq. = 296.56, Eigenvectors, Translational.



Mode Shapes

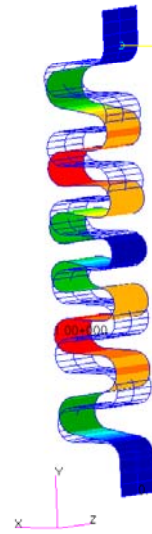
$t_n = .03 \text{ in, } w = 1.095 \text{ in, } q = 1.0 \text{ in.}$



MSC FEA 2010.1.2 64-Bit 24-Jan-11 15:25:42

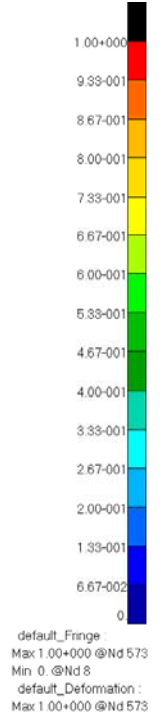
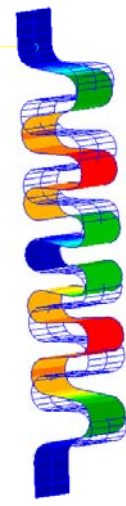
Fringe: SeizShear, A43, Mode 8 : Freq. = 298.75, Eigenvectors, Translational, Magnitude, (NON-LAYERED)

Deform: SeizShear, A43, Mode 8 : Freq. = 298.75, Eigenvectors, Translational.



Mode Shapes

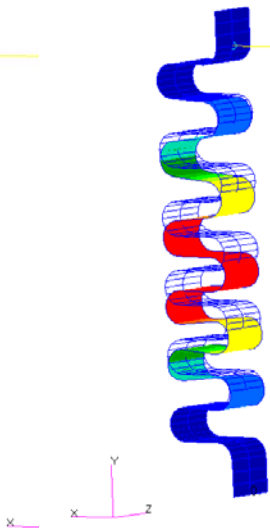
$t_n = .03 \text{ in, } w = 1.095 \text{ in, } q = 1.0 \text{ in.}$



MSC FEA 2010.1.2 64-Bit 24-Jan-11 15:21:47

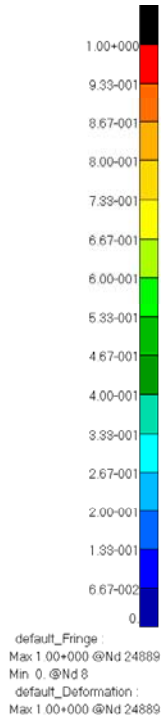
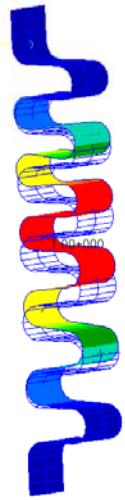
Fringe: SeizShear, A43, Mode 9 : Freq. = 320.83, Eigenvectors, Translational, Magnitude, (NON-LAYERED)

Deform: SeizShear, A43, Mode 9 : Freq. = 320.83, Eigenvectors, Translational.



Mode Shapes

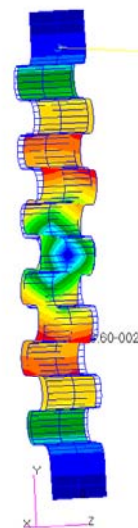
$t_n = .03 \text{ in, } w = 1.095 \text{ in, } q = 1.0 \text{ in.}$



MSC FEA 2010.1.2 64-Bit 24-Jan-11 15:19:16

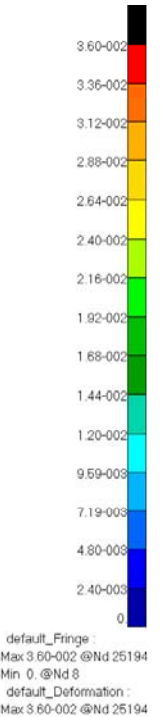
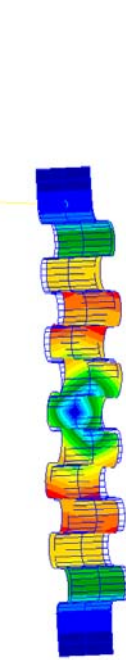
Fringe: SeizShear, A43, Mode 10 : Freq. = 320.83, Eigenvectors, Translational, Magnitude, (NON-LAYERED)

Deform: SeizShear, A43, Mode 10 : Freq. = 320.83, Eigenvectors, Translational.



Mode Shapes

$t_n = .03 \text{ in, } w = 1.095 \text{ in, } q = 1.0 \text{ in.}$



STANDARD ROUND EXPANSION JOINT SPECIFICATION SHEET

Customer:		Date:	Page:
Project:		Prepared By:	
Item or Tag Number:			
Quantity:			
Size:			
Style or Type (single, universal, hinged, gimbal, etc.)			
End Connections	Thickness/Flange Rating		
	Material		
*Pressure	Design		
	Operating		
	Test		
*Temperature	Design		
	Operating		
	Installation		
Media	Media		
	Flow Velocity		
	Flow Direction		
Movements and Life Cycle	Installation	Axial Extension	
		Axial Compression	
		Lateral	
		Angular	
		Number of Cycles	
	Design	Axial Extension	
		Axial Compression	
		Lateral	
		Angular	
		Number of Cycles	
	Operation	Axial Extension	
		Axial Compression	
		Lateral	
		Angular	
		Number of Cycles	
Materials	Bellows		
	Liner		
	Cover		
Dimensions	Overall Length		
	Maximum O.D.		
	Minimum I.D.		
Spring Rates	Maximum Axial Spring Rate		
	Maximum Lateral Spring Rate		
	Maximum Angular Spring Rate		
Quality Assurance Required Code	Bellows Long. Seam Weld		
	Bellows Attachments Weld		
	Piping		
Applicable Codes and Standards B31.1, B31.3, Section 8 Division 1			